

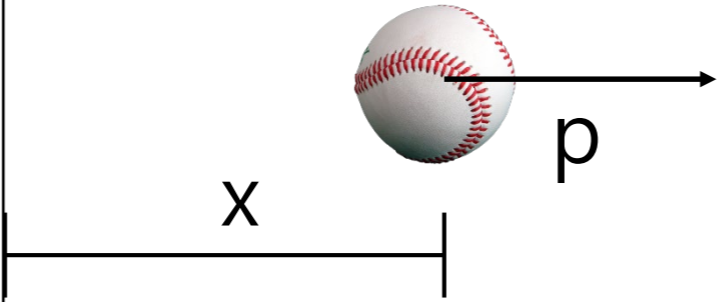
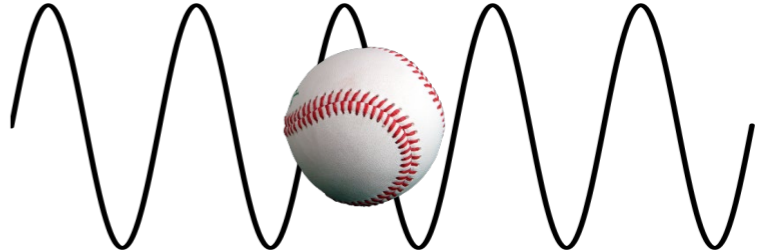
Experiment 3.

Quantum Chemical Calculation:

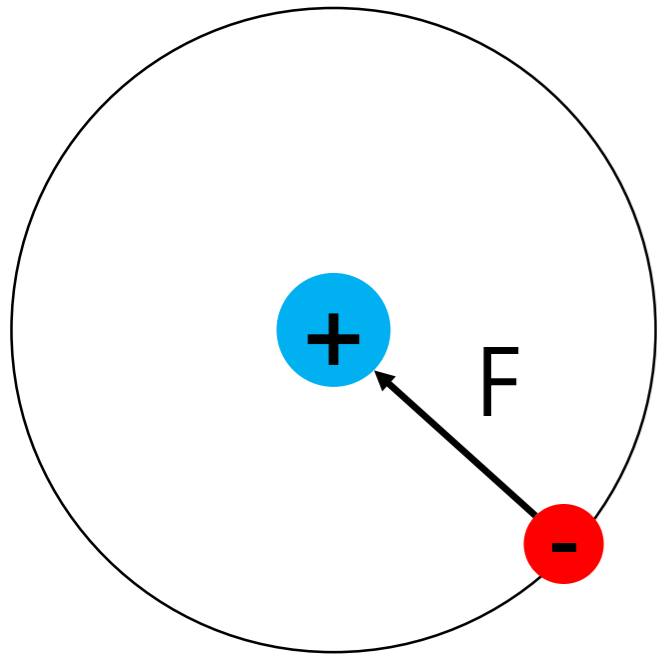
The Potential Energy Curve and the Orbitals of H_2^+

Theory

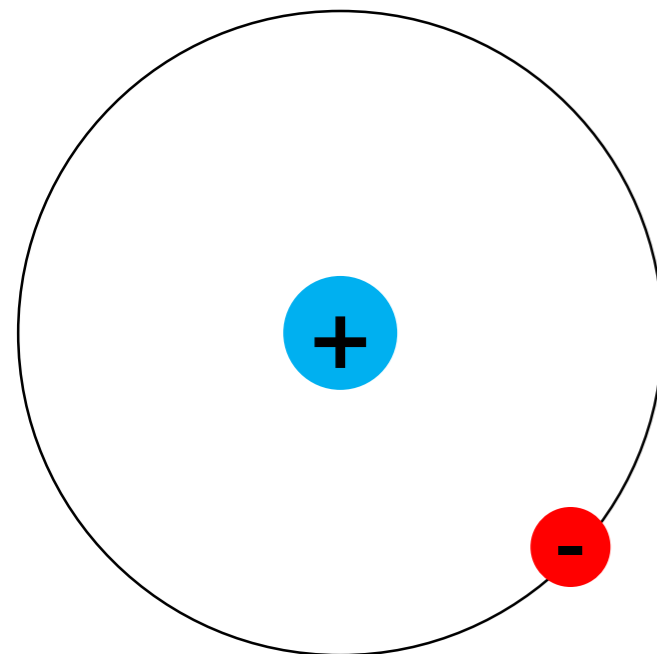
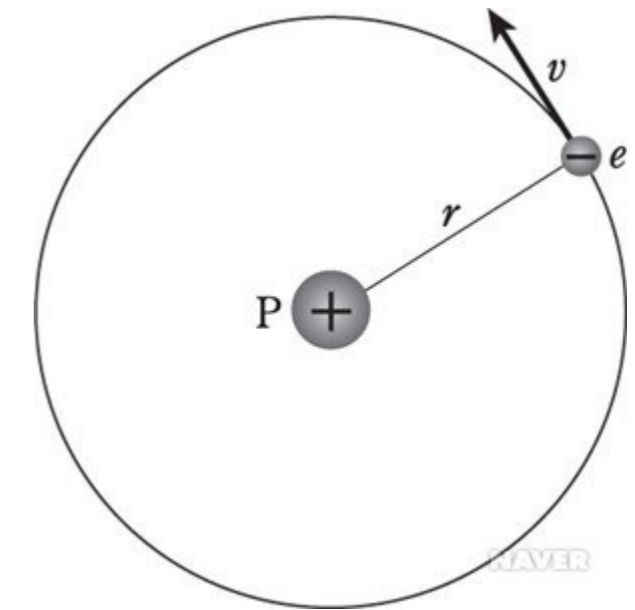
Classical vs Quantum

| | Classical Mechanics | Quantum Mechanics |
|--------------------------|--|---|
| |  A diagram showing a baseball. A horizontal line with a vertical tick at the end is labeled 'x'. An arrow pointing to the right from the center of the baseball is labeled 'p'. |  A diagram showing a baseball positioned on a sinusoidal wave. The wave is a continuous black line oscillating horizontally. |
| Description of particles | A particle is described as displacement (x) and momentum (p) | A particle is described as wave function $\psi(x)$, square as its probability distribution and energy (E) |
| Governing equation | Newton Equation (Equation of motion) $F = ma$ | Schrödinger Equation $\hat{H}\psi = E\psi$ |

Example: Hydrogen like Atom

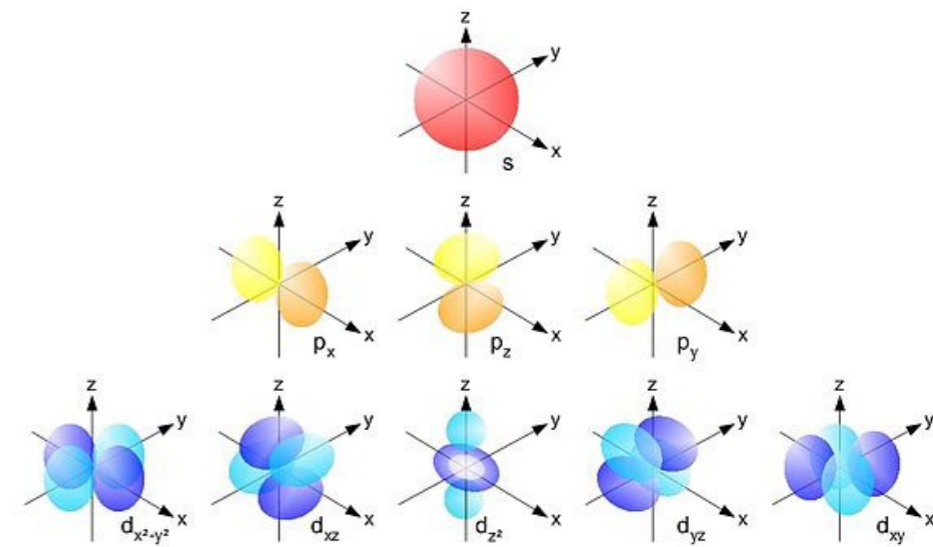


$$F = ma = \frac{Ze^2}{4\pi\epsilon_0 r^2}$$



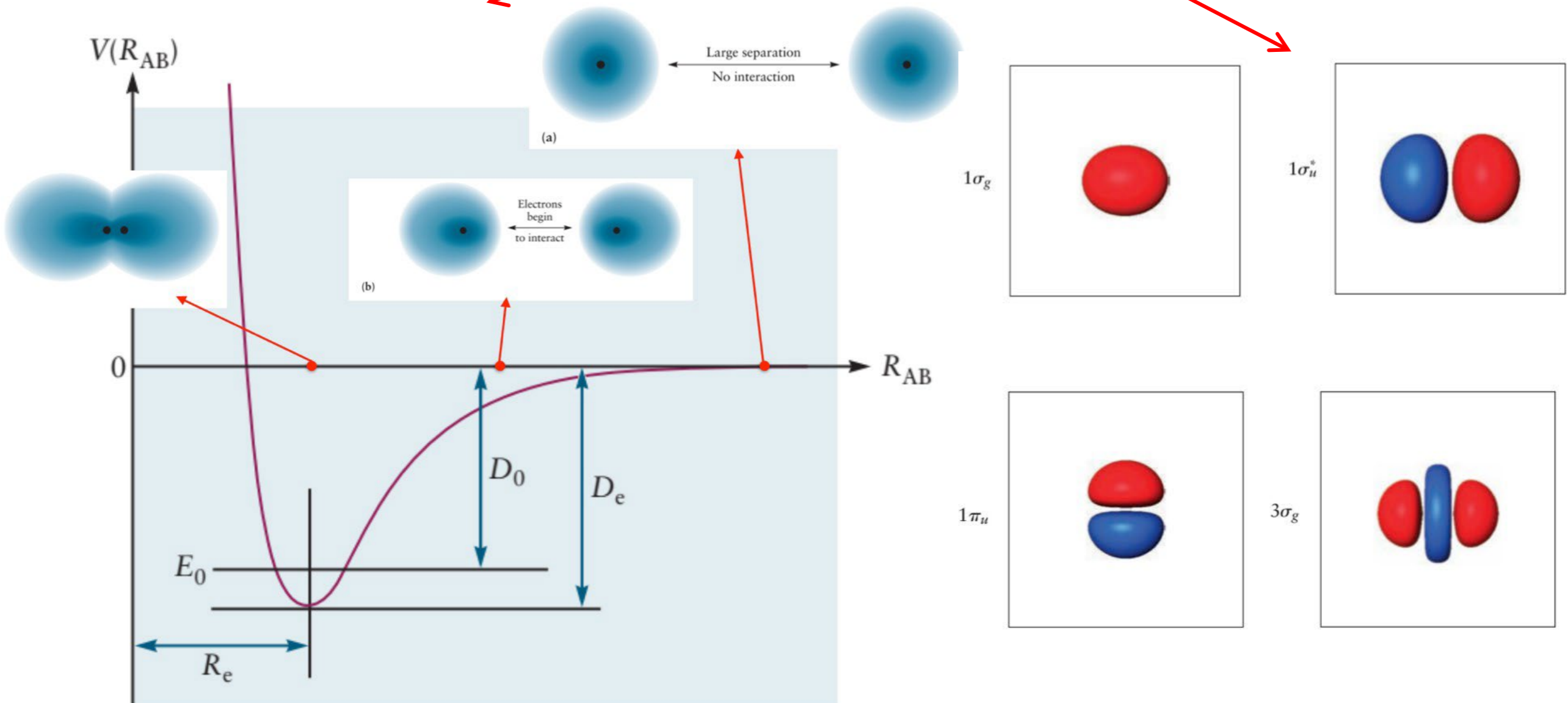
$$V(r) = -\frac{Ze^2}{4\pi\epsilon_0 r}$$

$$-\frac{\hbar^2}{2m}\nabla^2\psi + V(r)\psi = E\psi$$



Goal of the experiment

Schrödinger Equation : $\hat{H}\psi = E\psi$

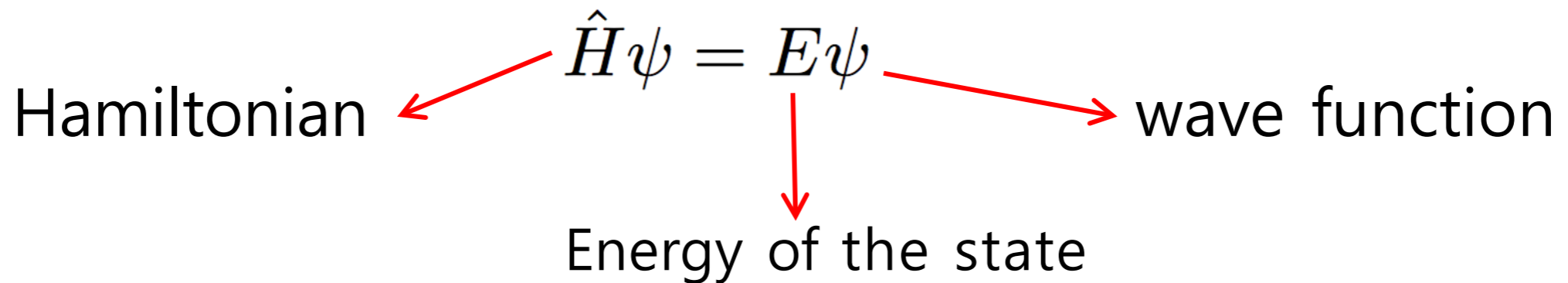


Schrödinger equation

$$\hat{H}\psi = E\psi$$

Hamiltonian ← wave function

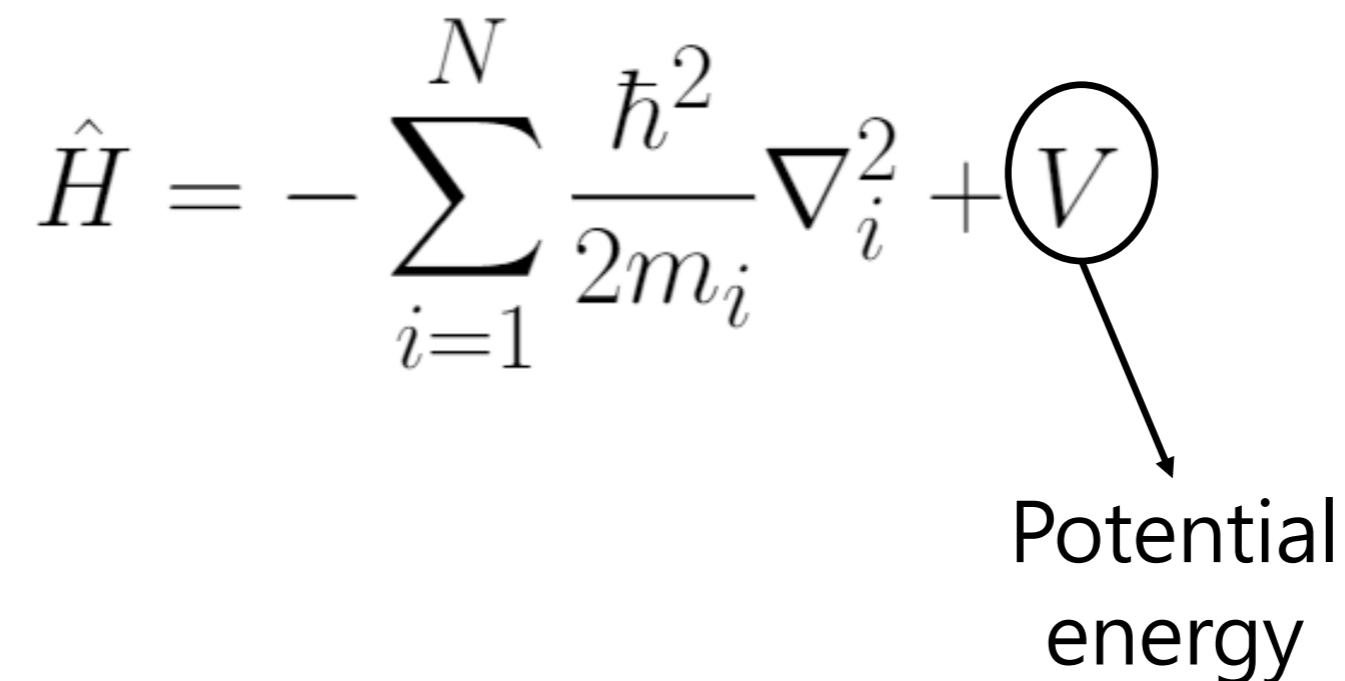
Energy of the state



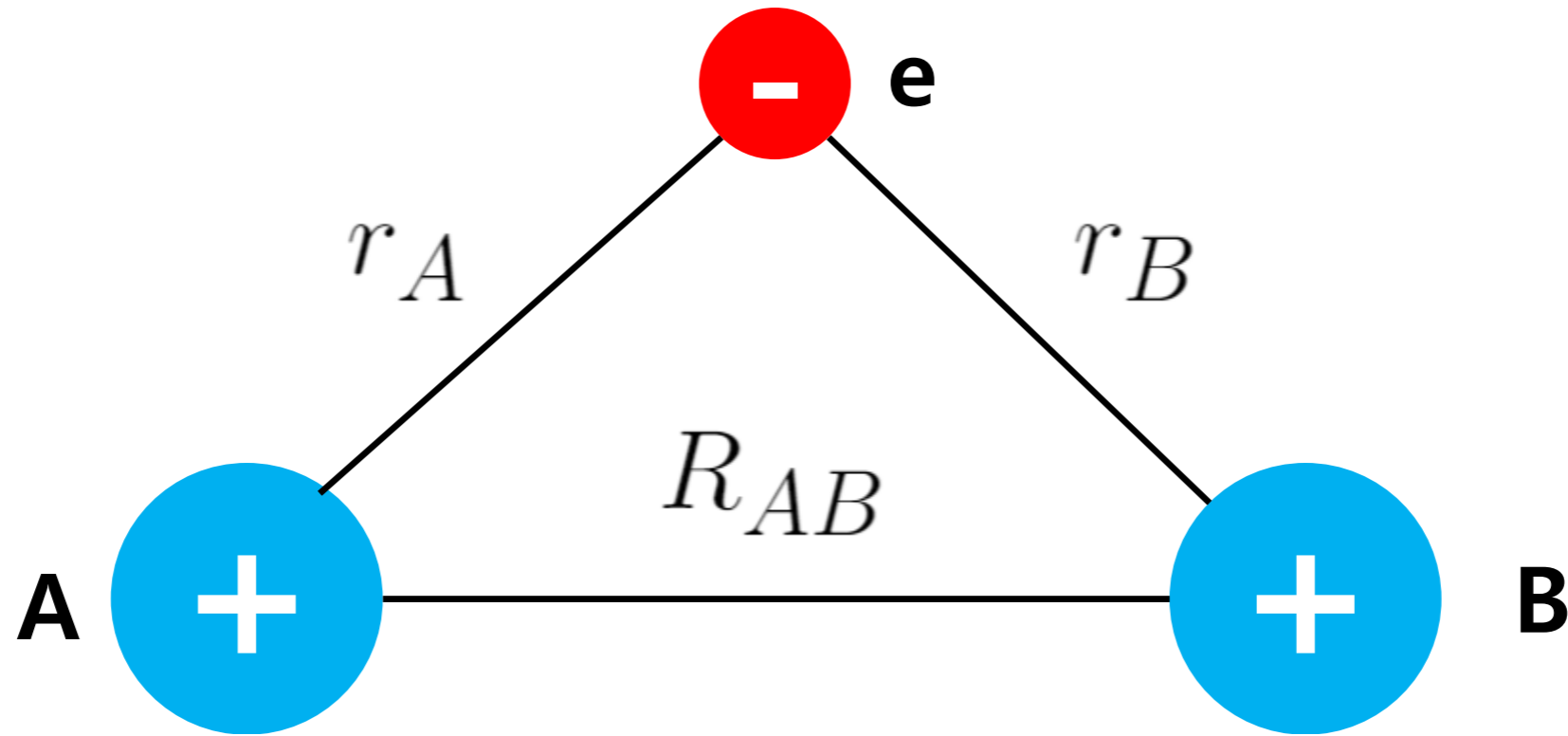
- Hamiltonian: the operator corresponding to the total energy of a system.

$$\hat{H} = - \sum_{i=1}^N \frac{\hbar^2}{2m_i} \nabla_i^2 + V$$

Potential energy



Schrödinger equation for H_2^+



$$V = -\frac{e^2}{4\pi\epsilon_0 r_A} - \frac{e^2}{4\pi\epsilon_0 r_B} + \frac{e^2}{4\pi\epsilon_0 R_{AB}}$$

$$\hat{H} = -\frac{\hbar^2}{2m_N}(\nabla_A^2\psi + \nabla_B^2\psi) - \frac{\hbar^2}{2m_e}\nabla_e^2\psi + V\psi = E\psi$$

Solving the Schrödinger equation

Born-Oppenheimer approximation:

- Motion of electron is much faster than the motion of nucleus ($m_{\text{nuc}} \approx 1820m_{\text{elec}} \gg \gg \gg m_{\text{elec}}$)
- Regard the positions of nuclei as fixed -> Only consider electron wave function
- Since nucleus is fixed, we cannot differentiate

$$\hat{H} = - \sum_{i=1}^{N_{\text{nuc}}} \frac{\hbar^2}{2m_{N_i}} \nabla_i^2 - \sum_{j=1}^{N_{\text{elec}}} \frac{\hbar^2}{2m_{e_j}} \nabla_j^2 + V$$

H_2^+ molecule $\hat{H} \simeq -\frac{\hbar^2}{2m_e} \nabla_e^2 - \frac{e^2}{4\pi\epsilon_0 r_A} - \frac{e^2}{4\pi\epsilon_0 r_B} + \frac{e^2}{4\pi\epsilon_0 R_{AB}}$

Solving the Schrödinger equation

1. Fix the positions of the nuclei (i.e., fix R_{AB}) and solve the Schrödinger equation for the **electronic Hamiltonian** $\hat{H}^{elec}(R_{AB})$.

$$\hat{H} \simeq \boxed{\frac{\hbar^2}{2m_e} \nabla_e^2 - \frac{e^2}{4\pi\epsilon_0 r_A} - \frac{e^2}{4\pi\epsilon_0 r_B}} + \boxed{\frac{e^2}{4\pi\epsilon_0 R_{AB}}}$$

$\hat{H}^{elec}(R_{AB})$ $V_{nn}(R_{AB})$

$$\hat{H}^{elec}(R_{AB})\psi = E\psi \longrightarrow \epsilon_0^{elec}(R_{AB}), \epsilon_1^{elec}(R_{AB}), \epsilon_2^{elec}(R_{AB}), \dots$$

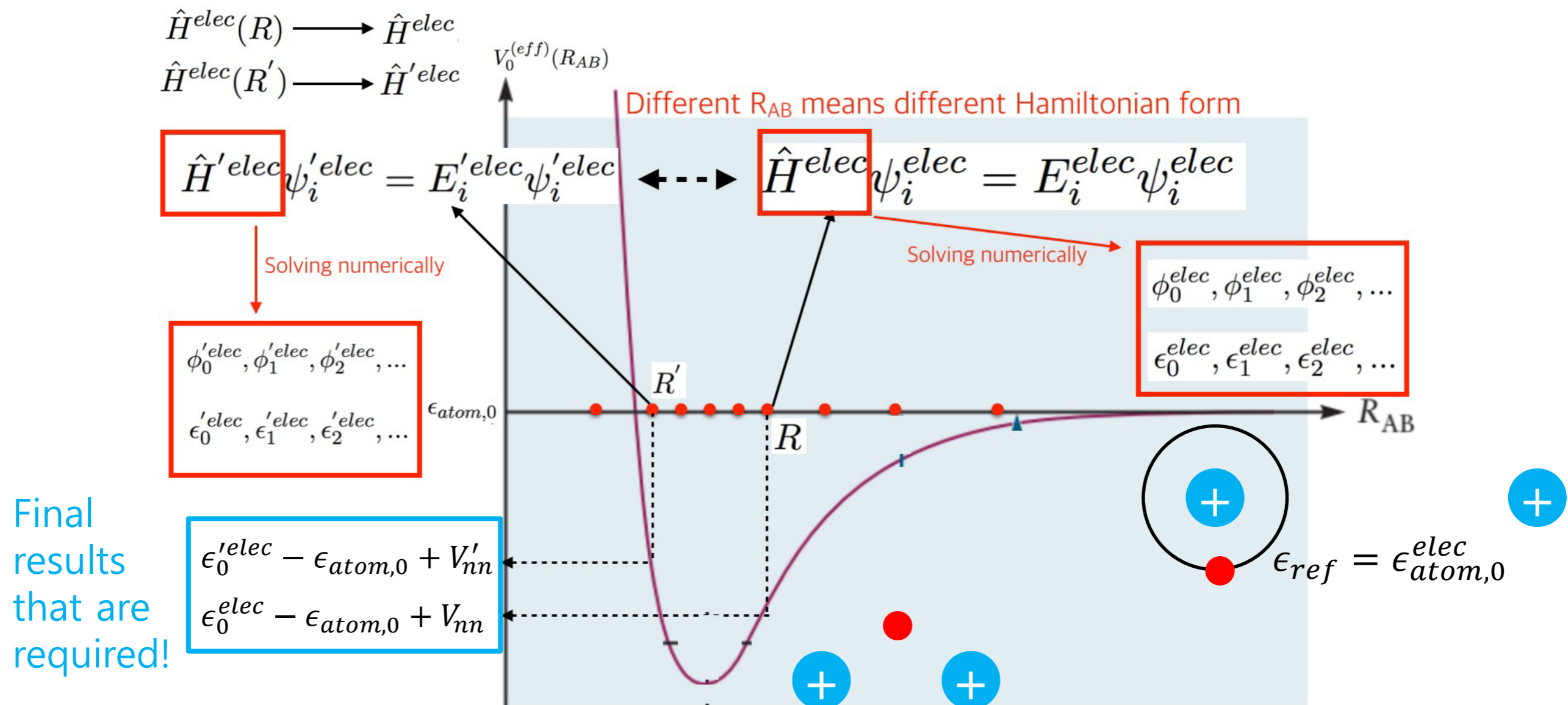
2. For actual energy, add the nuclear-nuclear potential energy $V_{nn}(R_{AB})$.

$$V_i^{(eff)}(R_{AB}) = \epsilon_i^{elec}(R_{AB}) + V_{nn}(R_{AB})$$

“Effective” potential

Solving the Schrödinger equation

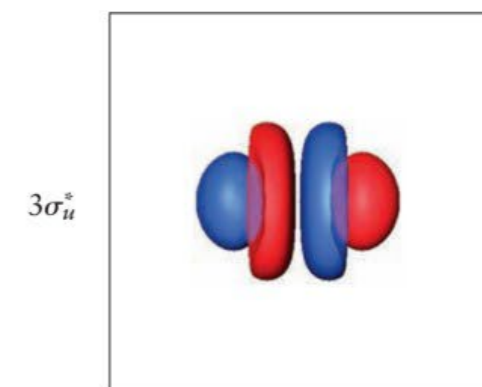
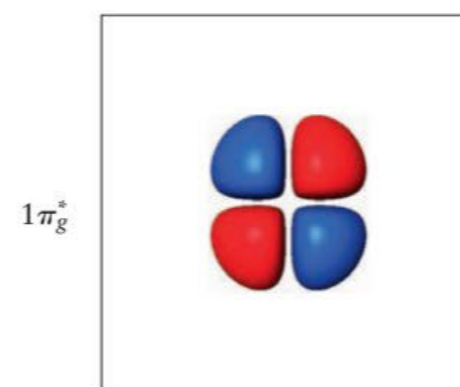
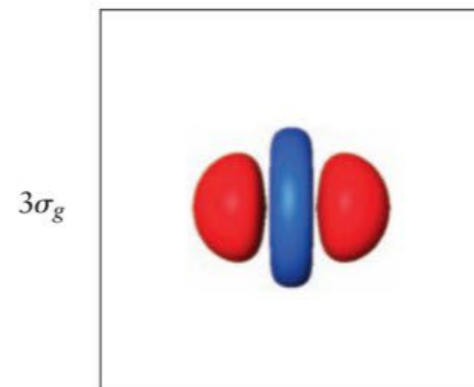
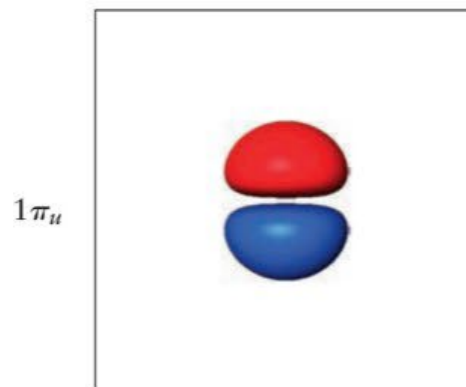
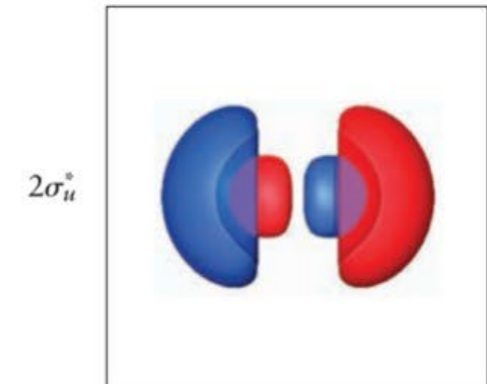
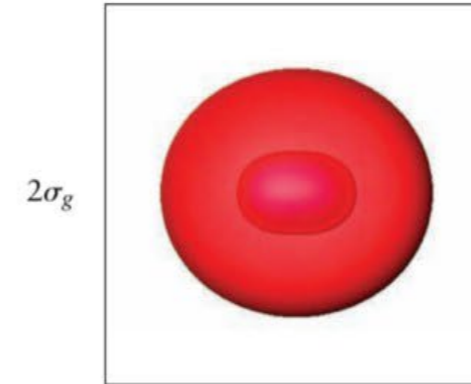
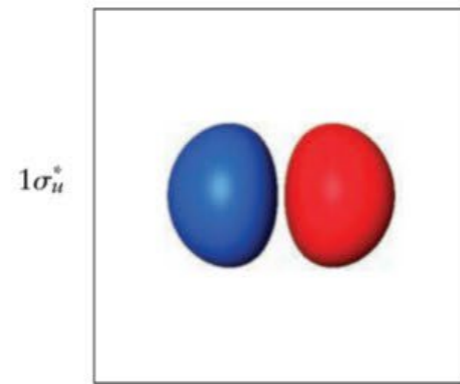
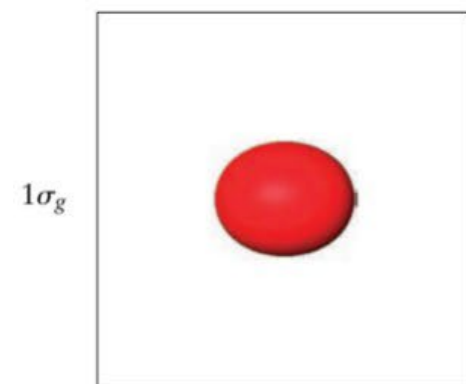
3. To obtain potential energy curve, we must consider subtracted energy: $\epsilon_0^{elec}(R_{AB}) - \epsilon_{atom,0}^{elec} + V_{nn}(R_{AB})$



Orbitals

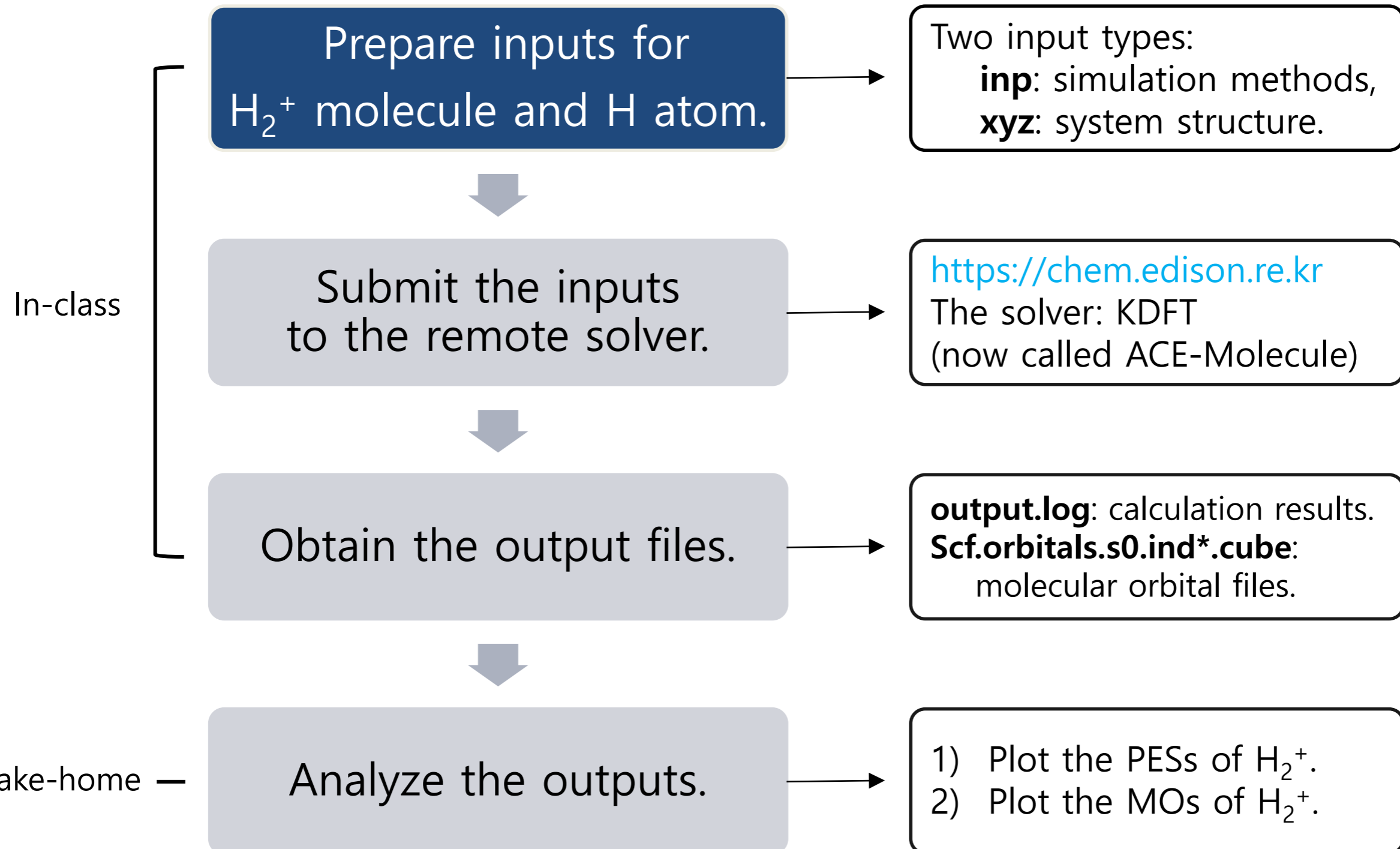
Orbitals = Wave functions of a single-electron system.

$$\hat{H}^{elec}(R_{AB})\psi = E\psi \longrightarrow \phi_0^{elec}(R_{AB}), \phi_1^{elec}(R_{AB}), \phi_2^{elec}(R_{AB}), \dots$$



Simulation

Simulation Outline



1st input needed: **inp**

```
%%BasicInformation
Scaling 0.5
Radius 2.5
NumElectrons 1.0
Centered 1
  %%Pseudopotential
  UsingDoubleGrid 1
  FineDimension 2
  %%End
%%End

%%Scf
NumberOfEigenvalues 9
  %%ExchangeCorrelation
  FunctionalName EXX
  %%End
%%End
```

An **inp** file contains the settings of your simulation, such as the quantities to compute, the accuracy, etc.

In all the simulations required in this experiment, you need not change the **inp** content.

To learn more about the commands, please consult the app manual.

2nd input needed: **xyz**

An **xyz** file contains the coordinates of your molecular system.

Number of atoms in the molecule ->

2

One blank line! ->

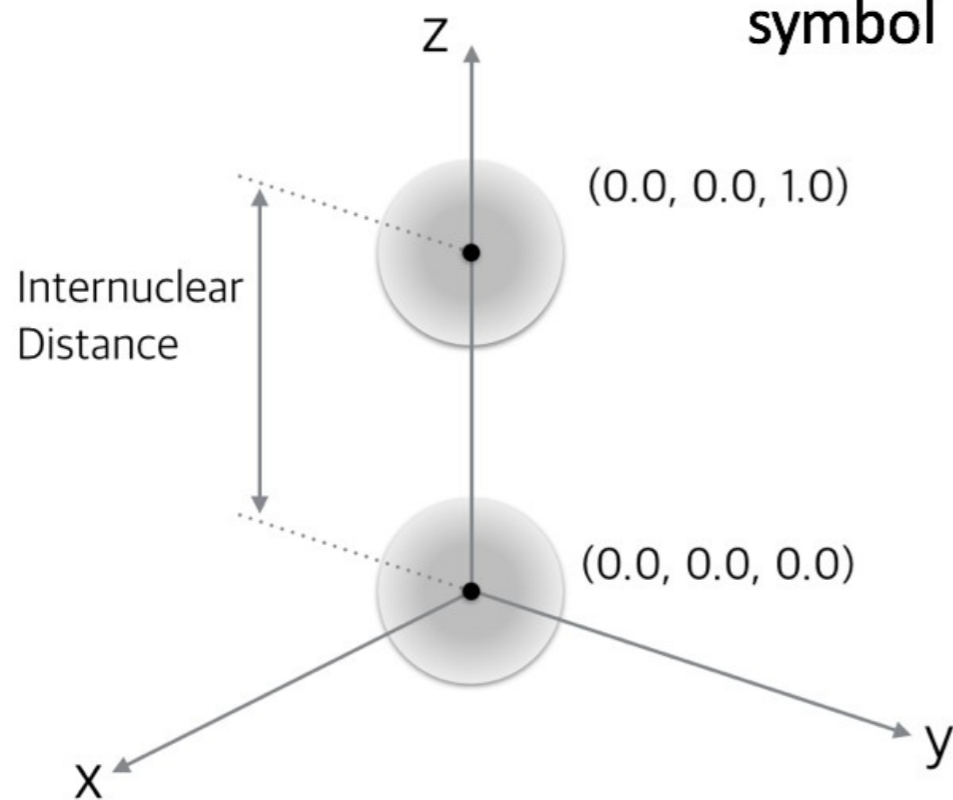
H 0.0 0.0 0.0

H 0.0 0.0 1.0

Element
symbol

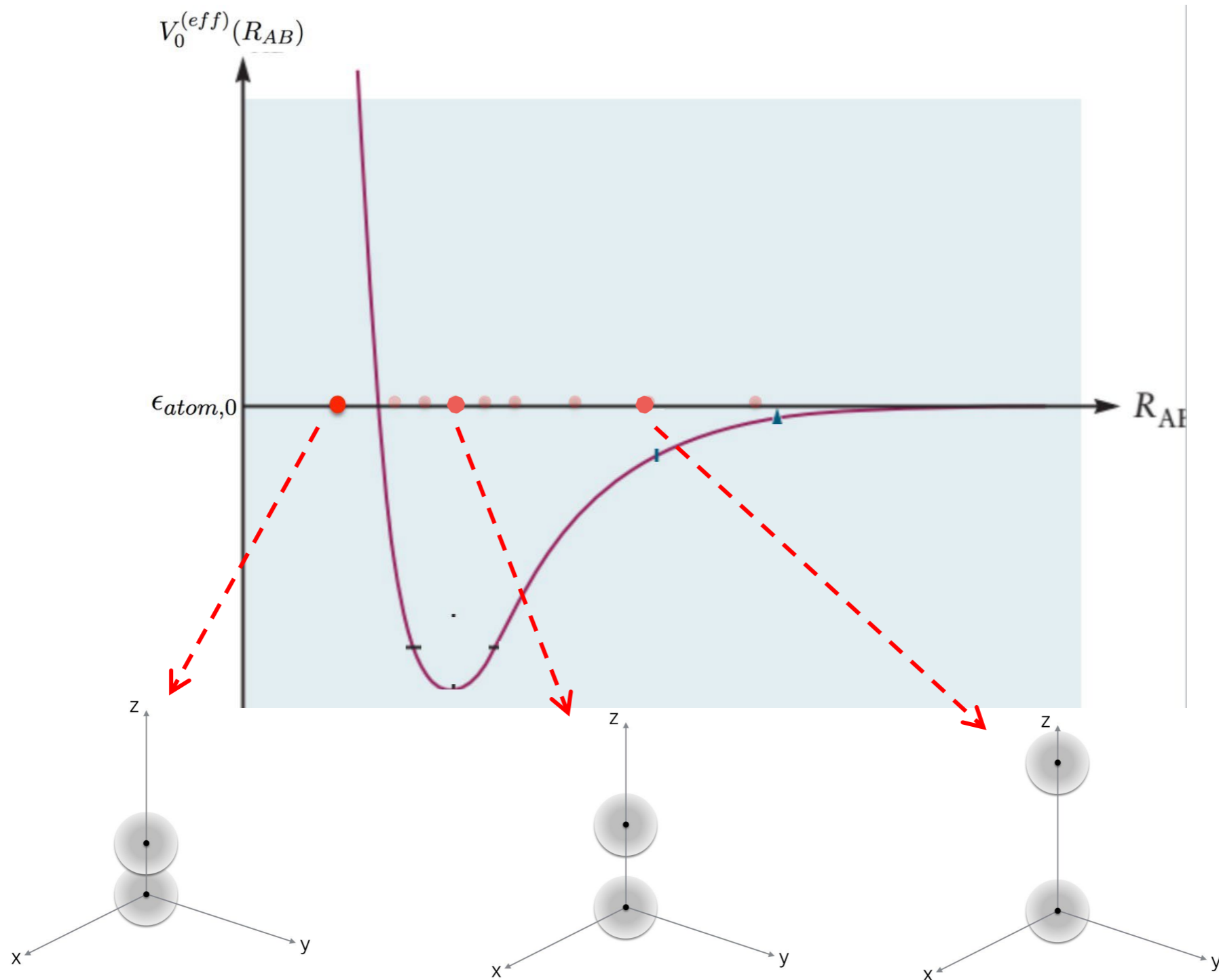
Cartesian coordinate (x, y, z) of each atom
(unit : **Angstrom**)

1Angstrom = $1\text{A}^\circ = 10^{-10}\text{m}$



2nd input needed: **xyz**

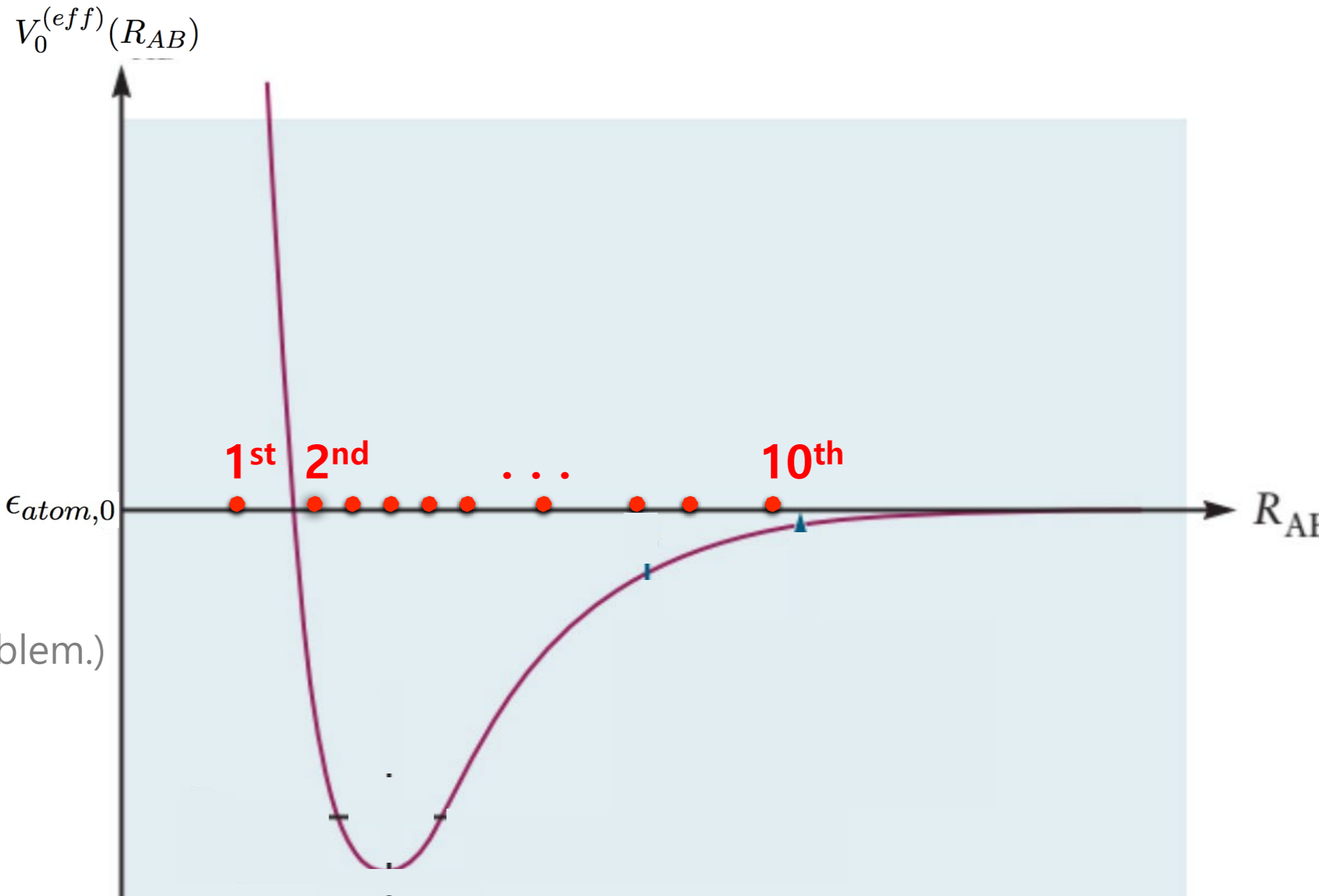
To make a potential-energy curve of H_2^+ , we need multiple **xyzs**.



Required inputs in Exp. 3

One **inp**
and the **xyzs**
corresponding to
the **10** different
H–H distances.

(And an additional
xyz of a single
H-atom system,
for the optional problem.)



Flow of using a remote solver

Your compute



Go to the EDISON site
chem.edison.re.kr
and submit your inputs.

The EDISON server is where
your calculation is executed.
The server has the solver app
with multiple CPUs.

Prepare inputs



Download the output files.

Analyze outputs



Getting started

Sign in to the EDISON web, chem.edison.re.kr
Account information will be given by TAs.

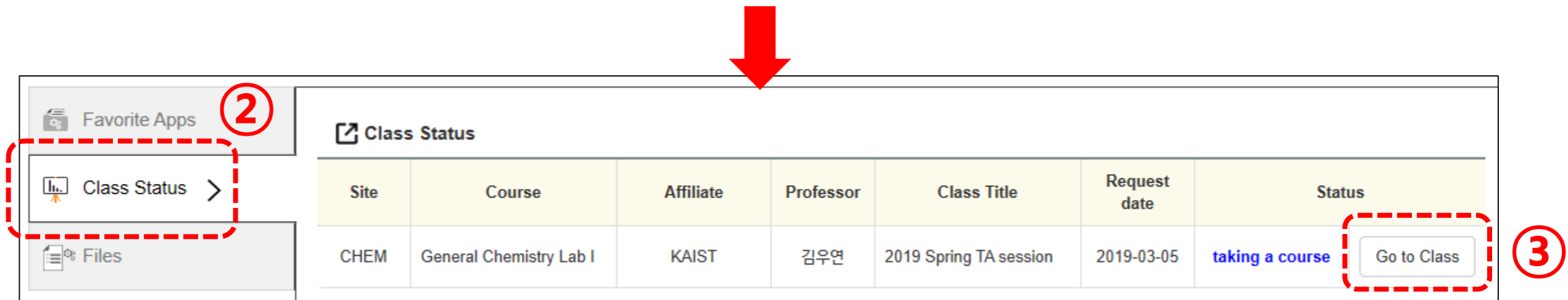
The screenshot shows the EDISON website interface. At the top right, a red circle with the number '1' highlights the 'Sign-in' button in the navigation bar. A red arrow points from this button to a larger red dashed box labeled '2' which contains the sign-in form. The form includes fields for 'Enter Your ID' and 'Enter Your Password', a 'Sign-in' button, a 'KAFE' button, and links for 'Forgot ID', 'Forgot Password', and 'Sign-up'.

Applied Disciplines



Getting started

Students are recommended to change their passwords.
Follow what shown below to change your password (Make it simple!)



The screenshot shows the 'update-password' form. It has three input fields: 'Current Password', 'New Password', and 'Password confirm'. A 'Modify' button is at the bottom right.

Getting started

Go launch the KDFT app.

Navigation menu: APPS (highlighted), SIMULATION, CONTENT, EDUCATION, ABOUT, STATISTICS, MY EDISON

Page header: Computational Chemistry
BRIDGE TO COMPUTATIONAL SCIENCE FOR HIGHER EDUCATION AND ADVANCED RESEARCH
APPS
/ CHEM / APPS /

ScienceApp

App categories: Monte Carlo, Quantum dynamics calculation and quantum control, Protein-biomolecule docking, Quantum chemistry, Molecular dynamics, Molecular dynamics on biosystems, etc (highlighted)

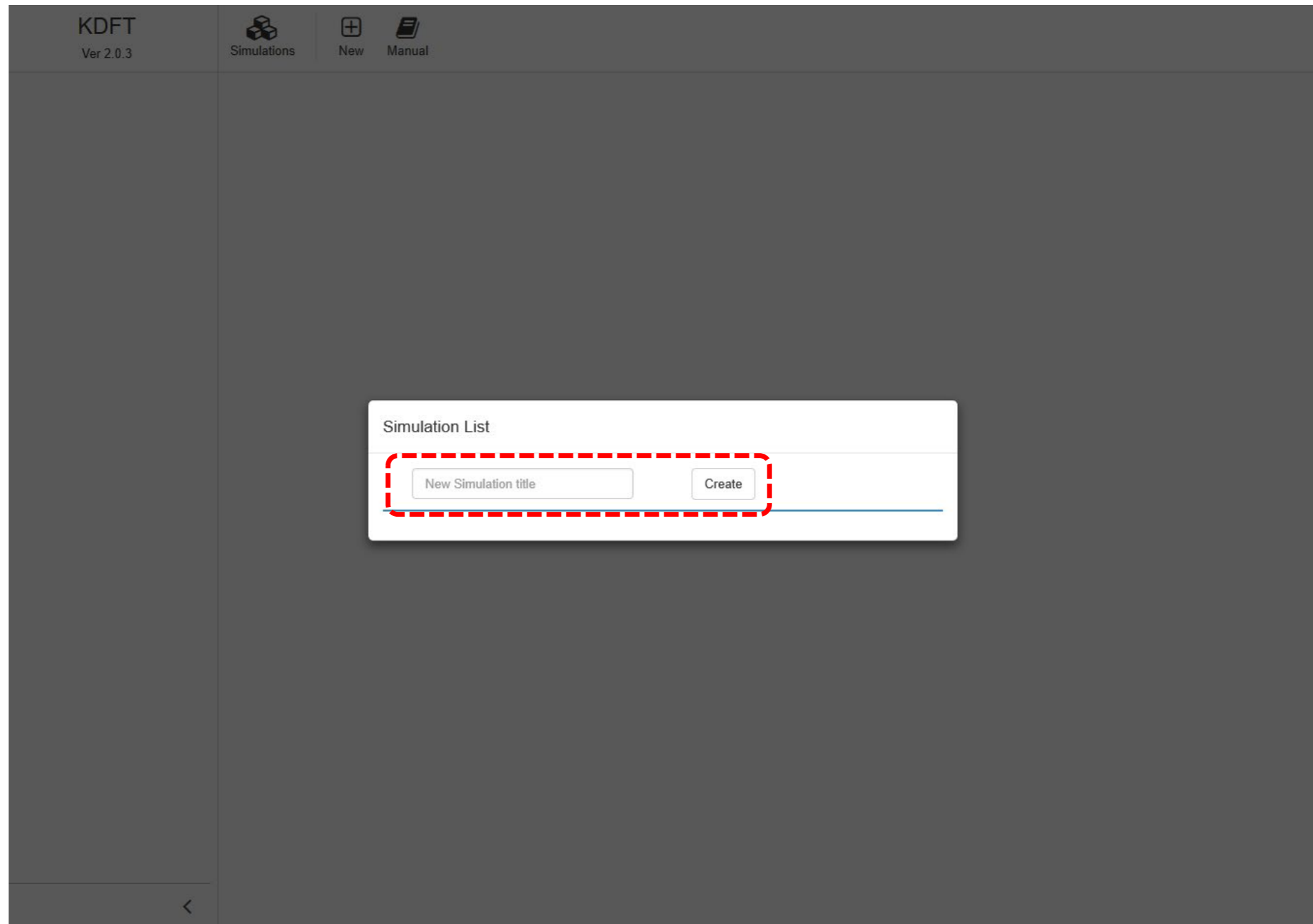
Filters: Latest, 10 Items, University/Or, kdft (highlighted), Clear

| No. | App Title(App Name) | Version | Affiliation | UserID | Date | Manual | Run |
|-----|--|---------------------|-------------|---------|------------|--|---|
| 1 |  KDFT ACE-Molecule | 2.0.3 (highlighted) | KAIST | wooyoun | 2019-02-19 |  Manual |  Run (highlighted) |

3

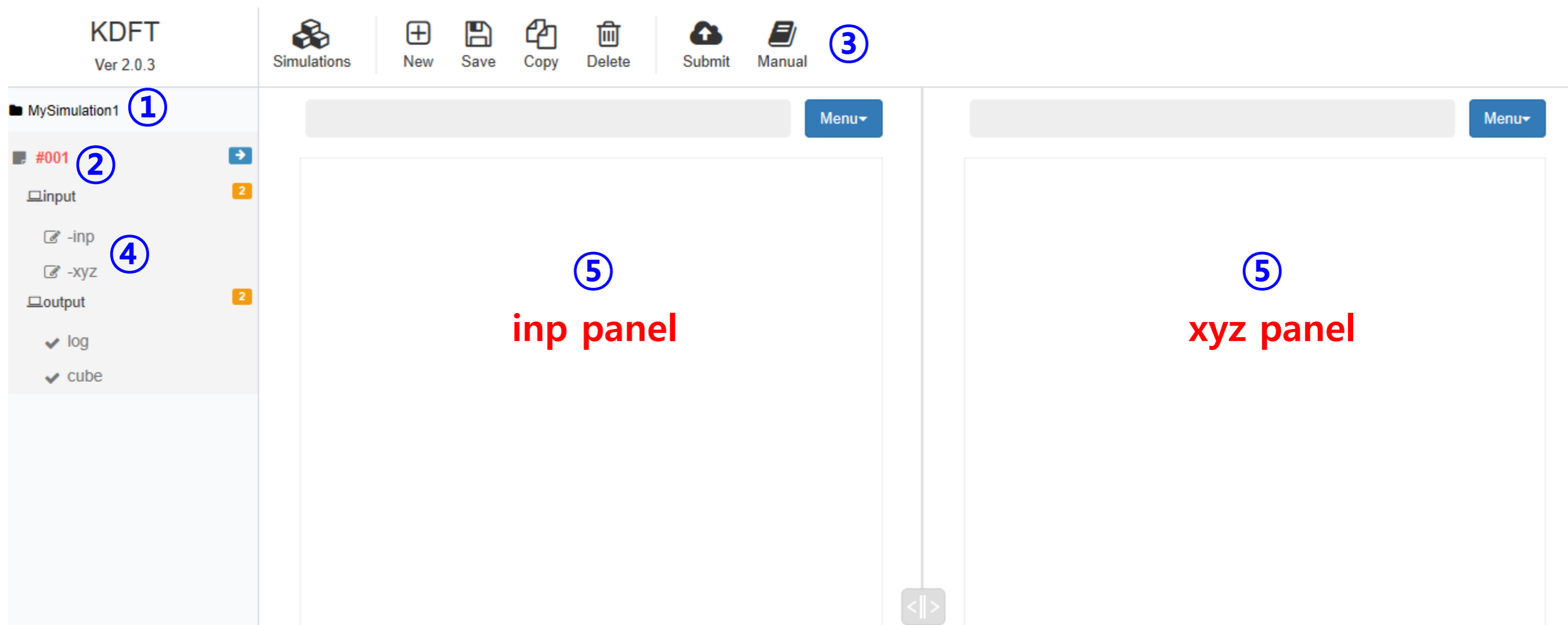
Your first simulation

Name a simulation as you want.



Your first simulation

Let's first get familiar with the simulation workspace.



- ① Your simulation. One "simulation" includes multiple "jobs".
- ② A job. A job is the specification/management of an actual simulation process.
- ③ The toolbar for editing and submitting jobs.
- ④ The input ports for showing your input content and status.
- ⑤ The panels for editing your two input types **inp** and **xyz**.

Your first simulation

Set up the two inputs: **inp** and **xyz**.

The screenshot shows the KDFIT Ver 2.0.3 interface. The top toolbar contains icons for Simulations, New, Save, Copy, Delete, Submit, and Manual. The left sidebar shows a project tree with 'MySimulation1' containing '#001' and sub-panels for 'input' and 'output'. The 'input' panel has two entries: '-inp' (green) and '-xyz' (gray). The main workspace shows a text editor with simulation input parameters. A context menu is open over the '-inp' entry, with 'Sample' highlighted. Red dashed boxes and numbered circles (1-6) indicate the sequence of actions: 1. Click 'Menu' in the top right; 2. Click 'Sample' in the context menu; 3. Check the '-inp' entry is green; 4. Click 'Menu' in the top right again; 5. Check the '-xyz' entry is gray; 6. Click 'Save' in the top toolbar.

① → ② Click "Menu" and then "Sample" to load a sample **inp** file.

③ Check if the color changes to green.

This indicates that the **inp** is successfully entered.

(Note the problematic indication is gray, not red.

If red, it means the corresponding panel is being active.)

④ → ⑤ Do similarly for **xyz**.

⑥ After **inp** and **xyz** are entered, click "Save".

Your first simulation

Click "Submit" and set the number of (CPU) cores used.
The default 4 cores will do. Do not use a large number of cores.

The screenshot displays the KDFIT Ver 2.0.3 interface. The top toolbar includes icons for Simulations, New, Save, Copy, Delete, Submit (highlighted with a red dashed box and labeled '1'), and Manual. The left sidebar shows a project named 'MySimulation1' with sub-items: '#001', 'input' (labeled '2'), '-inp', '-xyz', 'output' (labeled '2'), 'log', and 'cube'. The main workspace is split into two panels. The left panel contains input parameters for a simulation, including 'Scaling 0.5', 'Radius 2.5', 'NumElectrons 1.0', 'Centered 1', and 'FunctionalName EXX'. The right panel shows the output of the simulation, including the number '2' and two lines of coordinates: 'H 0.0 0.0 0.0' and 'H 0.0 0.0 1.0'. A 'CPU Cores' dialog box is open in the foreground, labeled '2'. It prompts the user to 'Enter number of cores (0 ~ 16)' and has a text input field containing the number '4'. At the bottom of the dialog, there are 'SUBMIT' and 'CANCEL' buttons, with the 'SUBMIT' button labeled '3'.

Your first simulation

After submitting the job, you can click ① to monitor the job status. Note that the "Job Information" panel does not auto-refresh by itself!

KDFT
Ver 2.0.3

Simulations New cancel Log Manual

MySimulation1

#001

input

-inp

-xyz

output

log

cube

Job Information

Job Title

#001

Status **R** RUNNING

Queue Time 2019-03-07 10:39:24

Complete Time 2019-03-07 10:39:24

Run Time 1 minute

System Log (Out)

Project Share false

Save Share Delete

2019-03-07-10-39-22.625/xyz

```
2
H 0.0 0.0 0.0
H 0.0 0.0 1.0
```

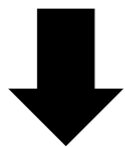
Monitoring the job status

Monitor whether your job finishes successfully.



"R" status: job is running
or

"Q" status: job is waiting to be run.



"S" status: job ended normally.



"F" status: job ended w/ errors!
Check the errors in your inputs
and run a *new* job.

Job Information ×

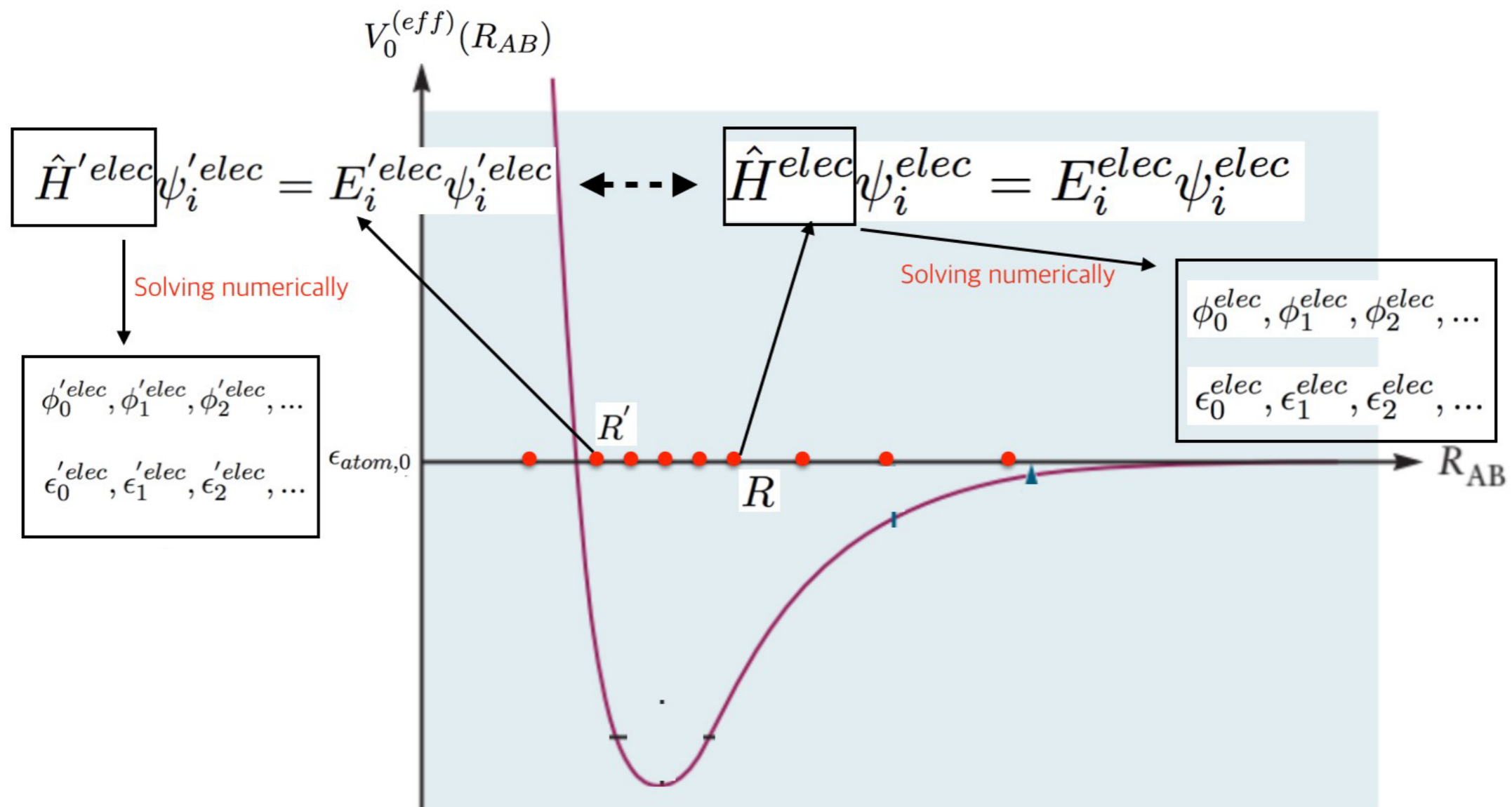
Job Title

| | |
|------------------|------------------------|
| Status | S SUCCESS |
| Queue Time | 2019-03-07 10:51:10 |
| Complete Time | 2019-03-07 10:51:32 |
| Run Time | 1 minute |
| System Log (Out) | |
| Download Results | |
| Project Share | false |

[Save](#) [Share](#) [Delete](#)

Data in the output files

For each calculation (with a specific R_{AB}),
 A **log** file contains ϵ_i^{elec} , V_{nn} and other physical values of the system.
 A **cube** file contains the information for drawing the shape of one ϕ_i^{elec} .



1st output: the log file

Scroll the log panel down to see the following sections:

The energy information of the system

```
=====  
Total energy      = -0.595799  
=====  
Ion-ion          =  0.529177 Hartree  
Eigenvalues      = -1.124976 Hartree  
Hartree energy    =  0.339923 Hartree  
Exchange-Correlation energy = -0.339923 Hartree  
  Exchange energy = -0.339923 Hartree  
  Correlation energy =  0.000000 Hartree  
Kinetic energy    =  0.608784 Hartree  
  Spin 0          =  0.608784 Hartree  
  Spin 1          =  0.000000 Hartree  
External energy   = -1.733760 Hartree  
=====
```

The orbital energies of the system

```
! total energy -0.595799  
orbital occupations / energies  
SPIN 0  
1.0000 -1.124976  
0.0000 -0.649972  
0.0000 -0.396683  
0.0000 -0.396683  
0.0000 -0.251060  
0.0000 -0.105496  
0.0000 -0.083906  
0.0000 -0.083906  
0.0000 -0.031203  
SPIN 1  
0.0000 -0.538765  
0.0000 -0.166564  
0.0000 -0.004428  
0.0000 -0.004428  
0.0000  0.110842  
0.0000  0.236287  
0.0000  0.244408  
0.0000  0.244408  
0.0000  0.315617
```

2nd output: the cube files

KDFIT
Ver 2.0.3

Simulations New Copy Delete Log Download Open Data Manual

my_calc_01

- #001
- input 2
 - inp
 - xyz
- output 2
 - log
 - cube** **Click**

File: Scf.orbitals.s0.ind1.cube

Surface:
ShowIsosurface
Wireframe
isolevel: 1.5

Structure:
visible
Style: ball+stick

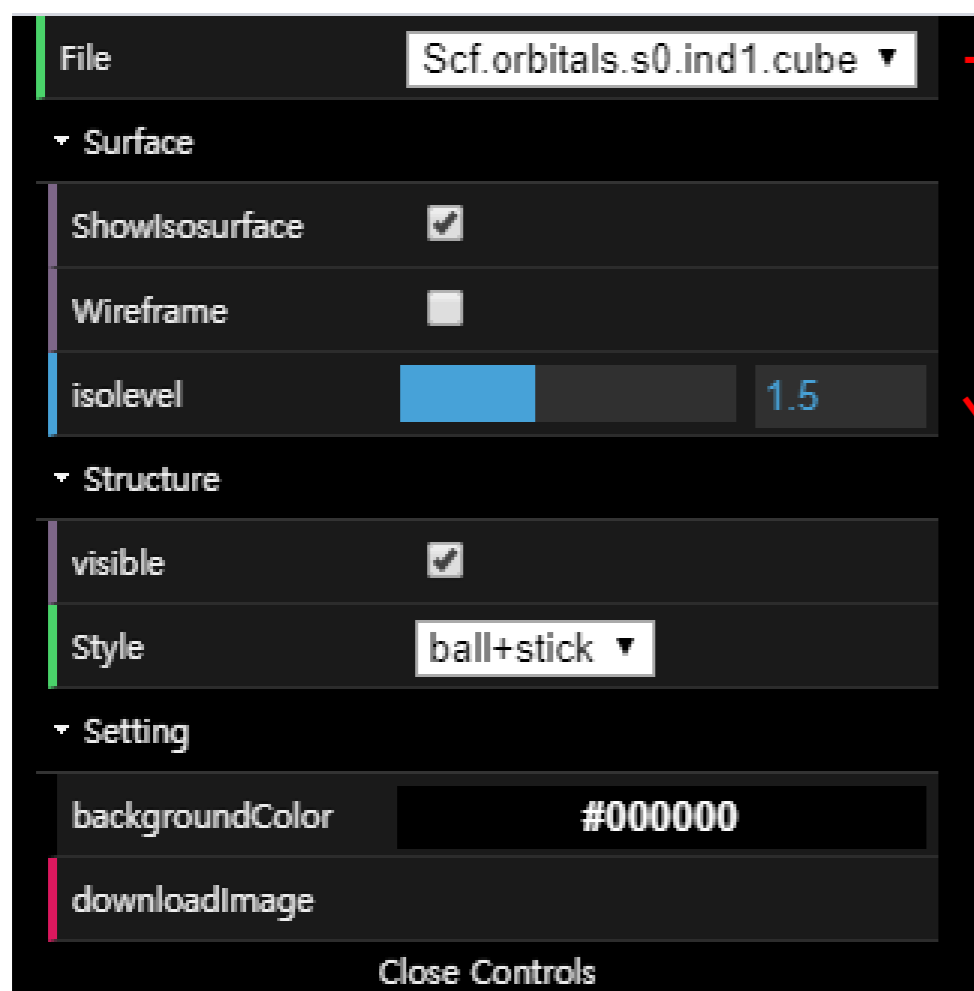
Setting:
backgroundColor: #000000
downloadImage

Close Controls

You can scroll or drag to see better

2nd output: the cube files

Various settings can be changed in the control panel.
The most important things include:



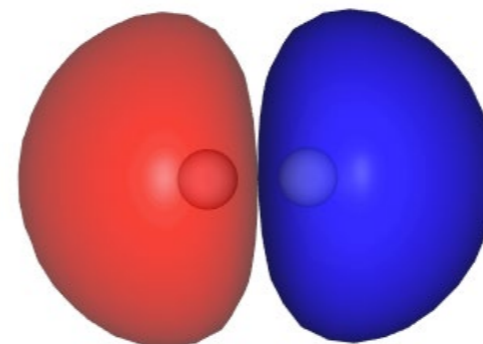
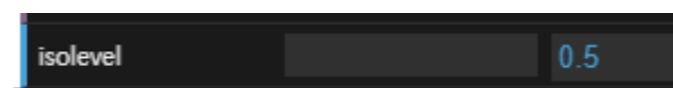
(1) Cube file names:

Scf.orbitals.s0.ind1.cube
Scf.orbitals.s0.ind2.cube
Scf.orbitals.s0.ind3.cube

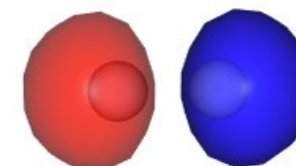
⋮
Spin alpha Orbital number

(2) Surface isovalue control:

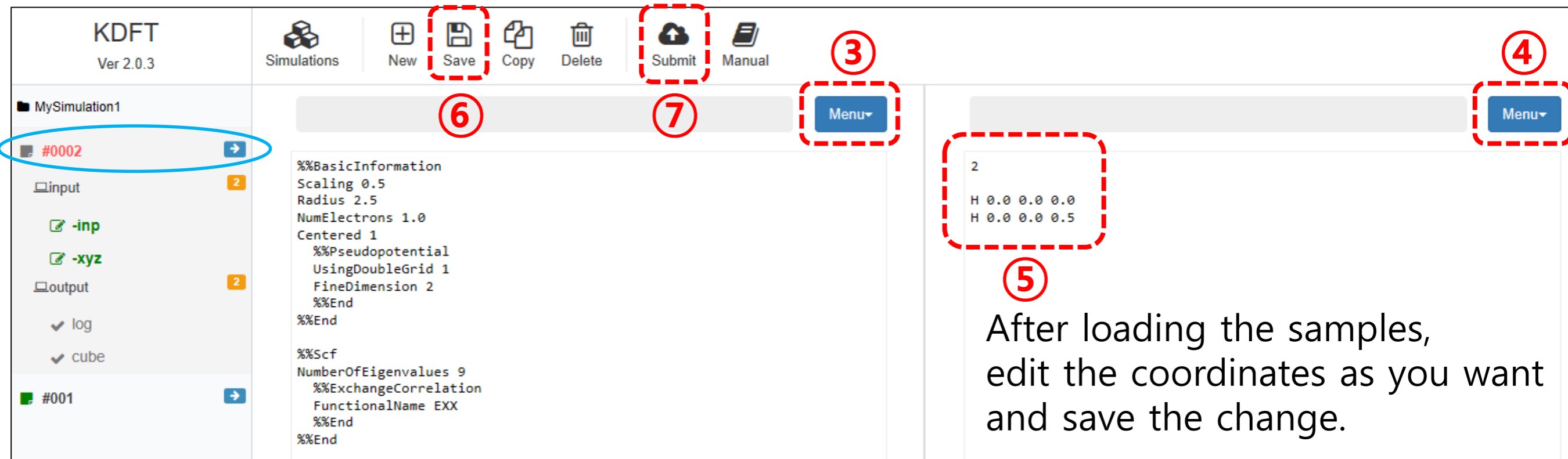
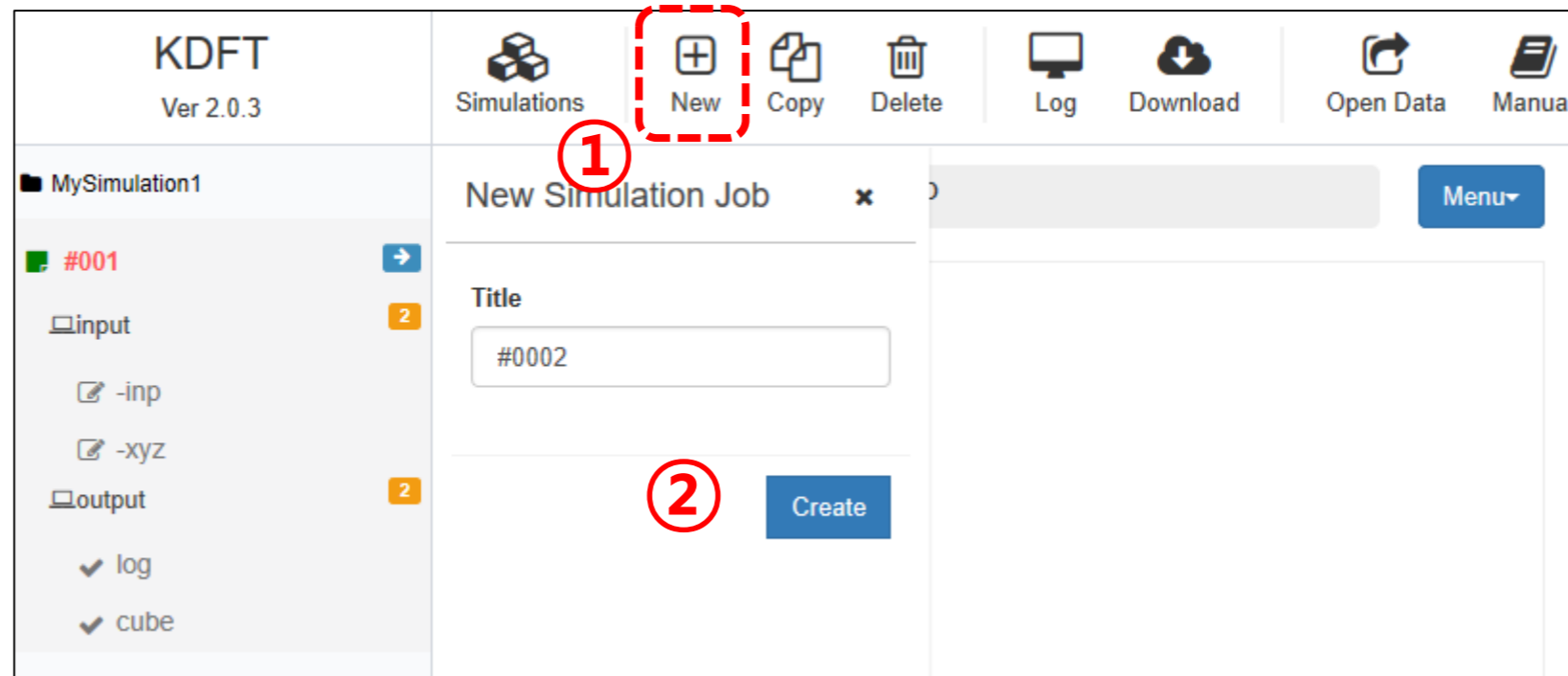
Small isovalue



Large isovalue



Submitting additional jobs



Analyses

Analysis 1. Potential energy curve of H_2^+ ground state

Find the following sections in the log:

[1]

```
! total energy -0.595799
orbital occupations / energies
SPIN 0
1.0000 -1.124976
0.0000 -0.649972
0.0000 -0.396683
0.0000 -0.396683
0.0000 -0.251060
0.0000 -0.105496
0.0000 -0.083906
0.0000 -0.083906
0.0000 -0.031203
```

[2]

```
=====  
Total energy = -0.595799  
=====  
Ion-ion = 0.529177 Hartree  
Eigenvalues = -1.124976 Hartree  
Hartree energy = 0.339923 Hartree  
Exchange-Correlation energy = -0.339923 Hartree  
  Exchange energy = -0.339923 Hartree  
  Correlation energy = 0.000000 Hartree  
Kinetic energy = 0.608784 Hartree  
  Spin 0 = 0.608784 Hartree  
  Spin 1 = 0.000000 Hartree  
External energy = -1.733760 Hartree  
=====
```

V_{nn}

(Often in literatures, "ion" is used for "nucleus".)

$-1.124976 = \epsilon_0^{elec} =$ ground-state *electronic* energy = 1st orbital energy
 $-0.649972 = \epsilon_1^{elec} =$ 1st excited-state *electronic* energy = 2nd orbital energy

...

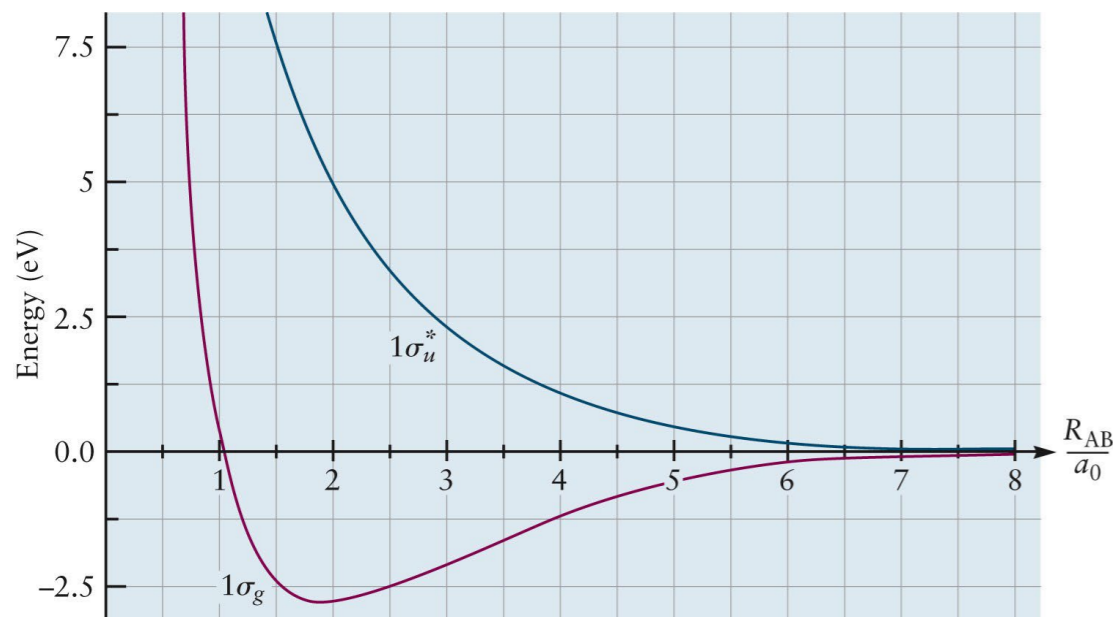
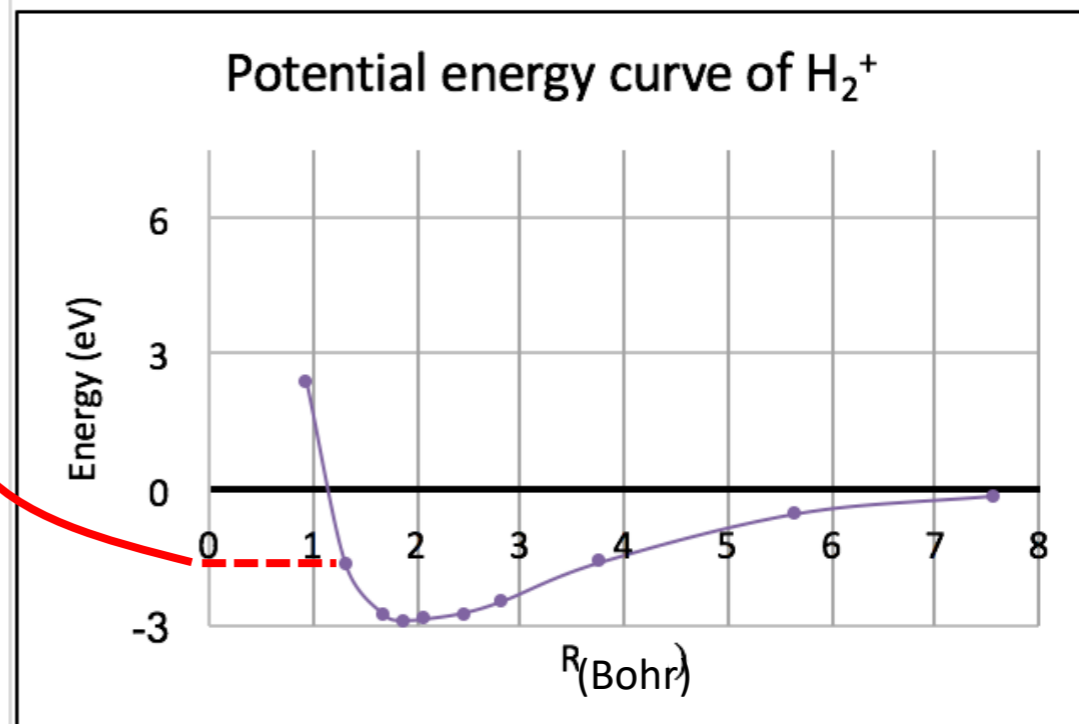
Analysis 1. Potential energy curve of H_2^+ ground state

$$\epsilon_0^{elec}(R) + V_{nn}(R) - \epsilon_{atom,0} =$$

(The ground-state *electronic* energy) + (ion-ion potential of H_2^+ with separation R)



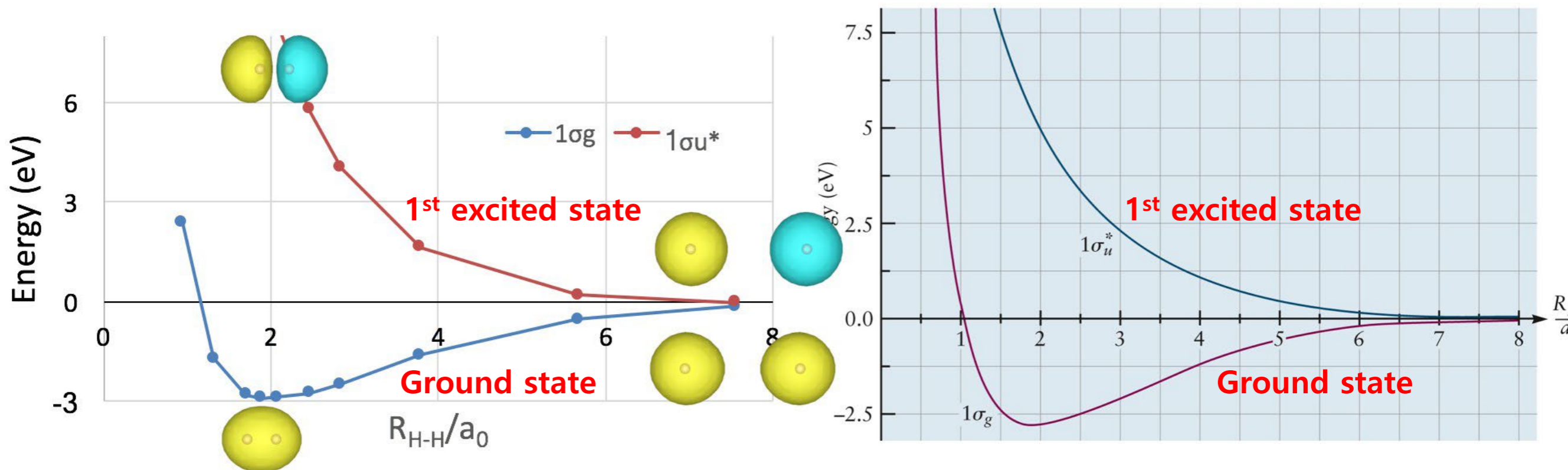
The *total* energy of H_2^+ at *infinite* R **-0.489063 hartree (Provided in the report sheet)**



- To get a graph as in the text book,
1. Convert the length unit from **angstrom** to **bohr** ($1 \text{ \AA} \sim 1.889726 \text{ bohr}$).
 2. Convert the energy unit from **hartree** to **eV** ($1 \text{ hartree} \sim 27.211386 \text{ eV}$).

Ex. If you obtained energy -0.624 hartree at 0.8 \AA , you should plot $(-0.624 \times 27.211486 \text{ eV}, 0.8 \times 1.889726 \text{ Bohr})$

Analysis 2. Potential energy curve of H_2^+ first excited state



$$\epsilon_1^{elec}(R) + \underbrace{V_{nn}(R) - \epsilon_{atom,0}}_{\text{Same as previous}}$$



The first excited-state *electronic* energy of H_2^+ with separation R .

Analysis 3. Visualization of orbitals

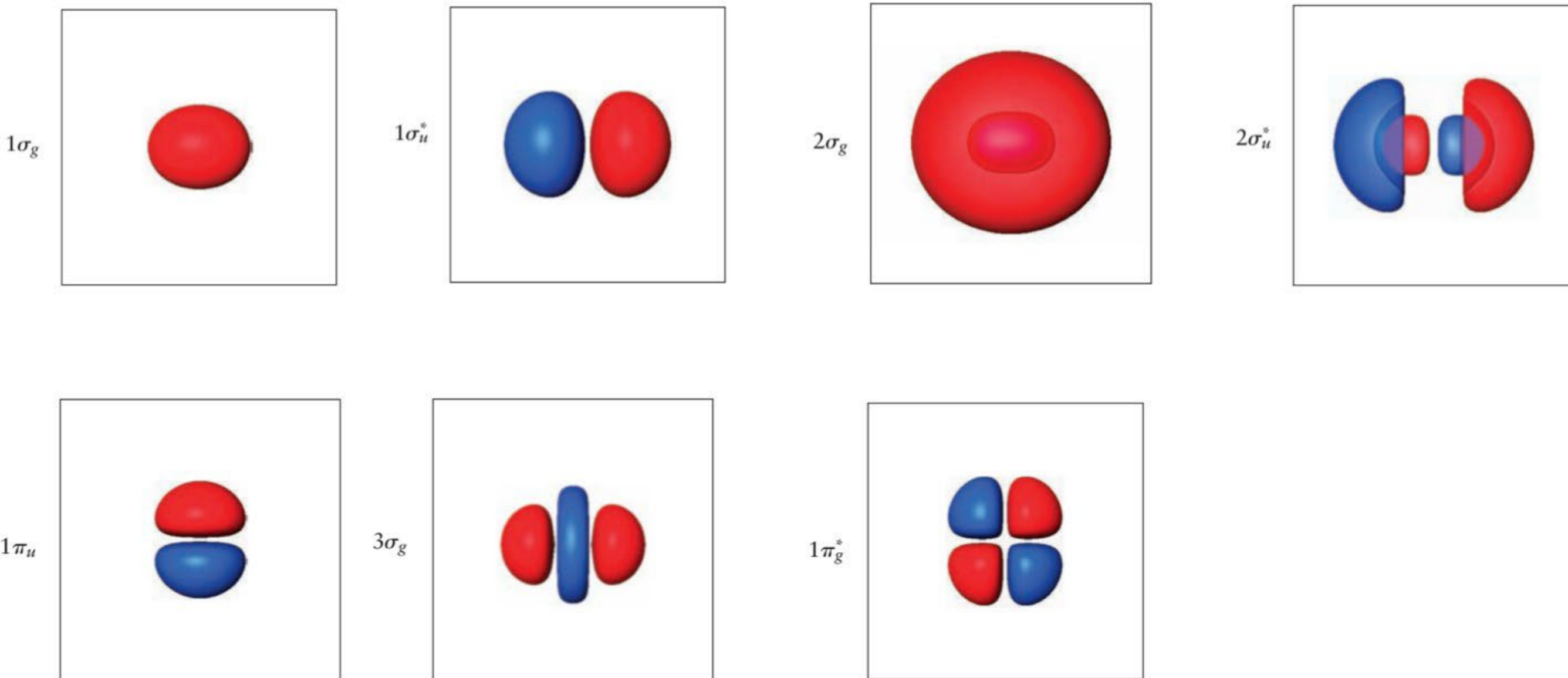
We will only visualize alpha-spin orbitals ("...s0..." cube files).

The screenshot displays the KDFT (Ver 2.0.3) software interface. The top toolbar includes icons for Simulations, New, Copy, Delete, Log, Download, Open Data, and Manual. The left sidebar shows a file tree for 'my_calc_01' with subfolders for '#001', 'input', and 'output'. The 'log' folder is expanded, and the 'cube' file is selected, indicated by a red dashed box and a red circle with the number '1'. The main 3D view shows a blue orbital visualization. The right sidebar contains a settings panel with the following options:

- File: Scf.orbitals.s0.ind1.cube (highlighted with a red dashed box)
- Surface:
 - ShowIsosurface: (highlighted with a red circle and the number '2')
 - Wireframe:
 - isolevel: 1.5
- Structure:
 - visible:
 - Style: ball+stick
- Setting:
 - backgroundColor: #000000
 - downloadImage

Close Controls

Analysis 3. Visualization of orbitals: Examples



Analysis 3. Visualization of orbitals: **Isosurface setting**

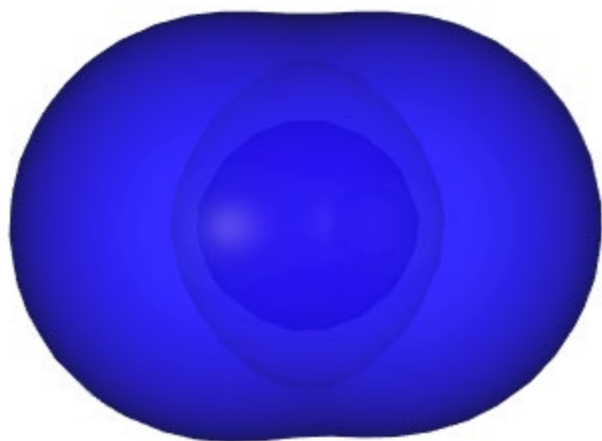
Visualization of a molecular orbital $\phi_i(\mathbf{r})$ is done by plotting the **isosurface** $S_i(v)$ specified by some value v (the *isovalue*):

$$S_i(v) := \{\mathbf{r}: |\phi_i(\mathbf{r})| = v\}.$$

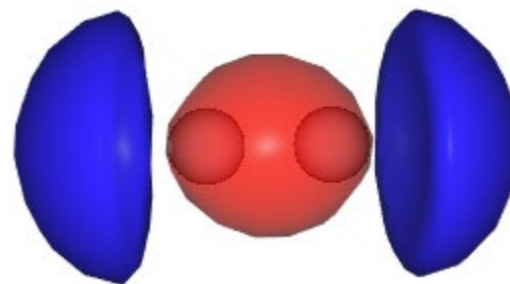
When plotting an orbital, the viewer *automatically* sets some value for v . However, there are some cases where the default value is *not* satisfactory!

Example of plotting the $2\sigma_g$ orbital of H_2^+ :

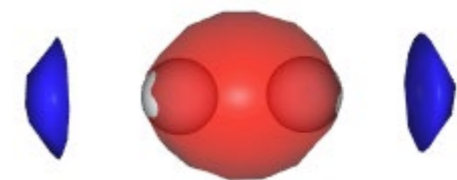
$S_{2\sigma_g}(v = 0.8)$



$S_{2\sigma_g}(v = 1.5)$
(default)



$S_{2\sigma_g}(v = 2.0)$



The default isosurface does *not* capture the double-shell structure!

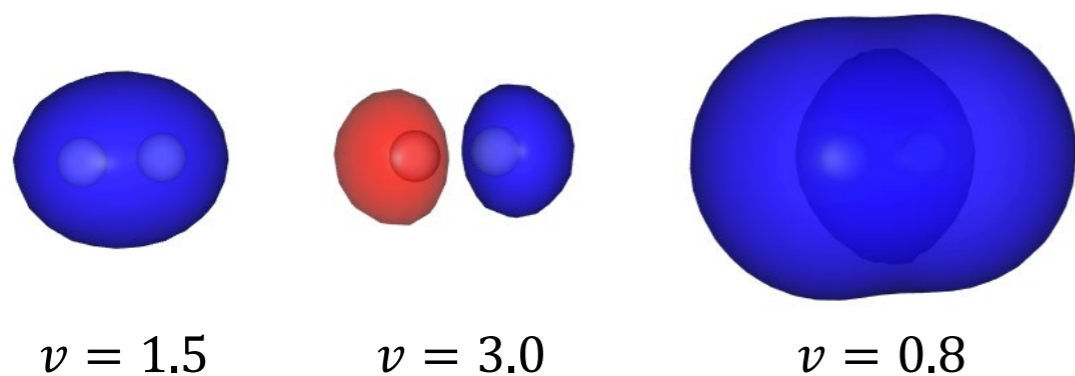
Analysis 3. Visualization of orbitals: **Isosurface setting**

So properly control the isovalue to get a correct view.

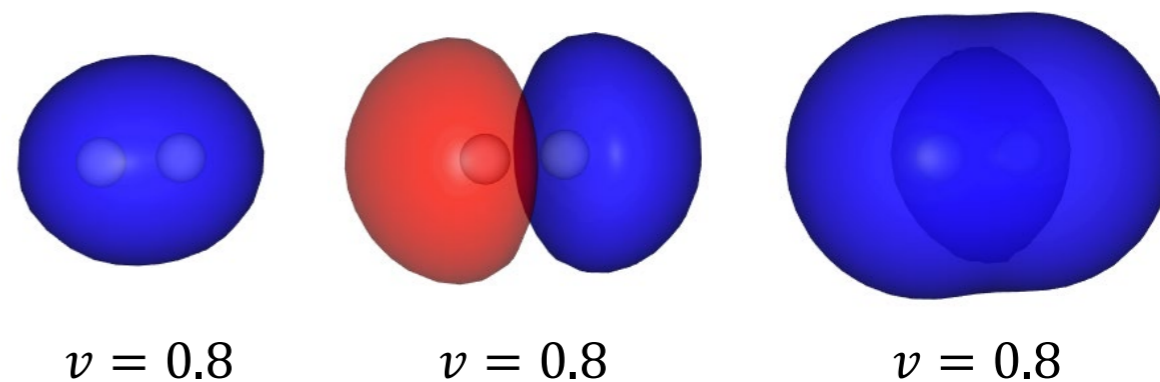


NOTE that when plotting multiple orbitals, use isovalue = 0.8

Incorrect



Correct



Analysis 4. (Optional)

Contributions of average potential and kinetic energy

Let's see how each of the potential energy and kinetic energy contributes to the total energy.

The diagram illustrates the decomposition of the effective potential energy $\bar{V}(eff)$ into its kinetic and potential energy components. At the top, the equation $\bar{V}(eff) = \bar{T} + \bar{V}$ is shown in blue. The term \bar{T} is circled and labeled "Kinetic energy" with an arrow pointing to the left. The term \bar{V} is circled and labeled "Potential energy" with an arrow pointing to the right. Below this, the full Hamiltonian \hat{H} is given as $\hat{H} = - \sum_{i=1}^N \left(\frac{\hbar^2}{2m_i} \nabla_i^2 \right) + V$. The kinetic energy term $\frac{\hbar^2}{2m_i} \nabla_i^2$ is circled, and an arrow points from it to the \bar{T} term in the effective potential equation. The potential energy term V is also circled, and an arrow points from it to the \bar{V} term in the effective potential equation.

$$\bar{V}(eff) = \bar{T} + \bar{V}$$

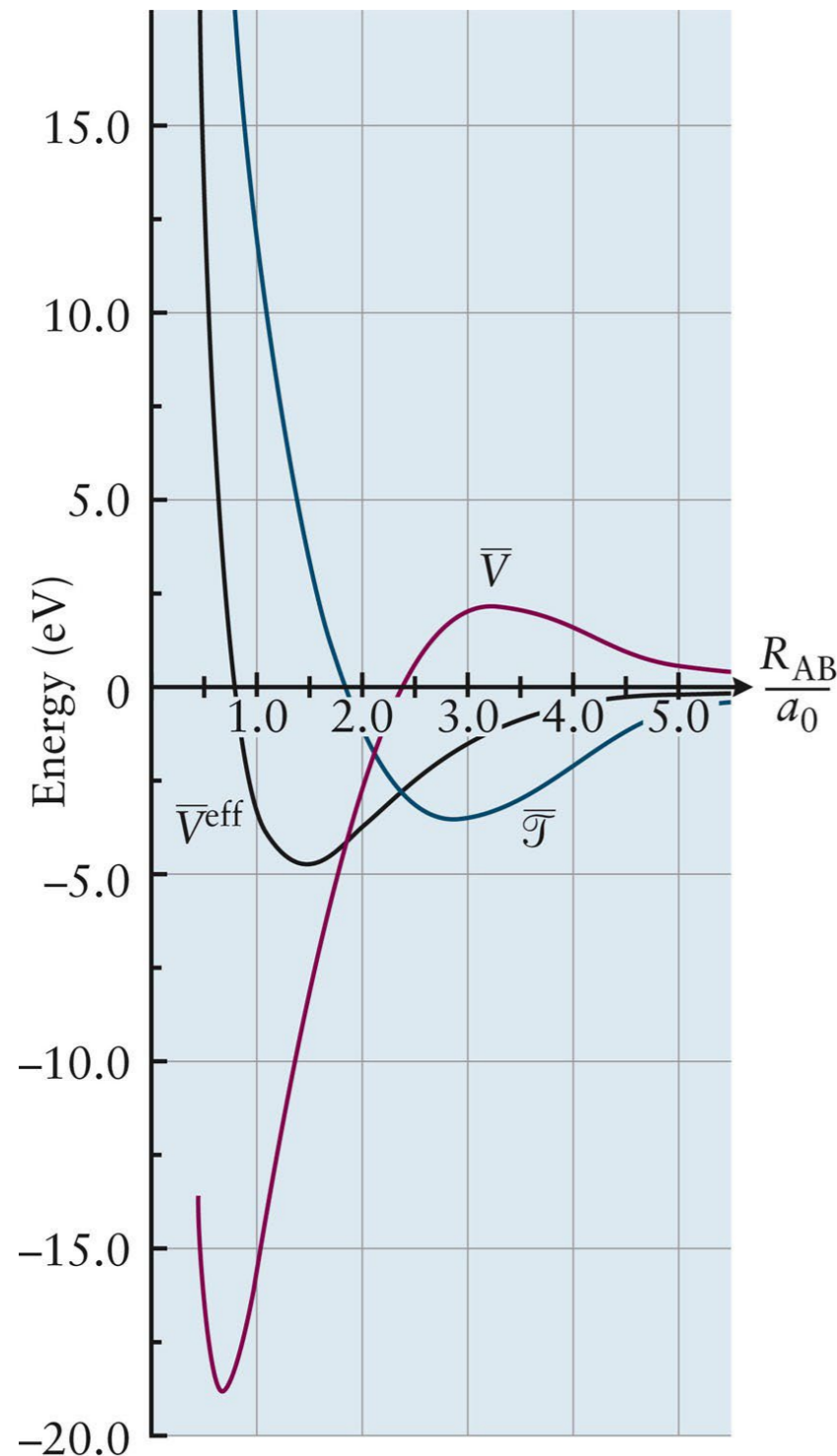
Kinetic energy Potential energy

$$\hat{H} = - \sum_{i=1}^N \left(\frac{\hbar^2}{2m_i} \nabla_i^2 \right) + V$$

Analysis 4. (Optional)

Contributions of average potential and kinetic energy

Let's see how each of the potential energy and kinetic energy contributes to the total energy.



\bar{V} = *total* Coulomb potential energy
= nucleus-nucleus potential energy V_{nn}
+ nucleus-electron potential energy V_{ne}
+ electron-electron potential energy V_{ee}
($V_{ee} = 0$ for H_2^+ .)

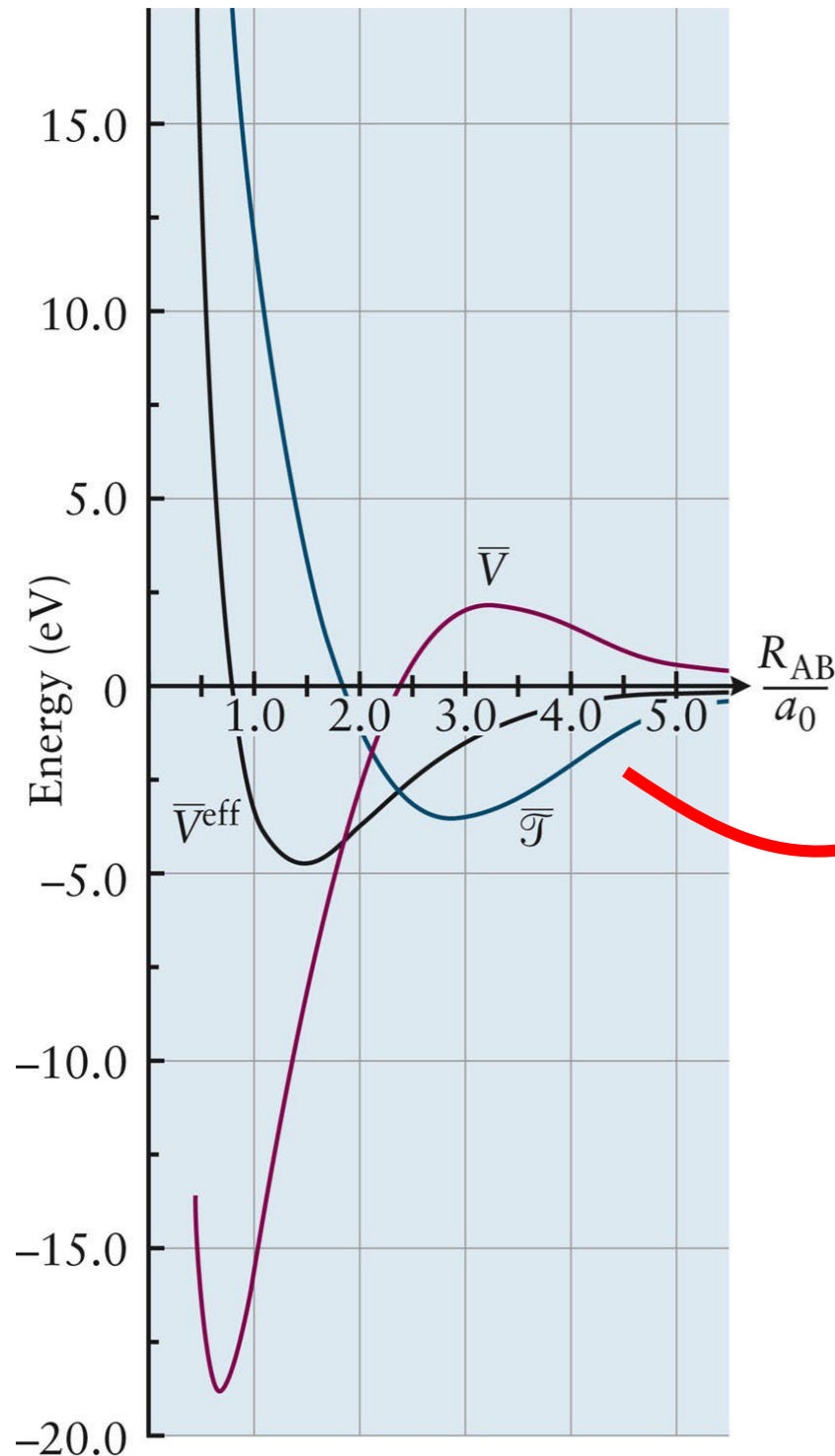
\bar{T} = electronic kinetic energy

$$\bar{V}^{(eff)} = \bar{V} + \bar{T}$$

$\bar{V}^{(eff)}$ is called the **effective potential energy**, which is actually the total energy that we have calculated.

Analysis 4. (Optional)

Contributions of average potential and kinetic energy



To plot the graph as drawn in the text book, we need to subtract \bar{V} and \bar{T} of a H atom.

Why?

As said in Theory part, an H^+ ion has no \bar{V} nor \bar{T} . So \bar{V} and \bar{T} of H_2^+ at infinite R equal to \bar{V} and \bar{T} of a (neutral) H atom.

$$\bar{V}(R) = \bar{V}_{H_2^+}(R) - \bar{V}_{H \text{ atom}}(R)$$

$$\bar{T}(R) = \bar{T}_{H_2^+}(R) - \bar{T}_{H \text{ atom}}(R)$$

$$\bar{V}^{(eff)}(R) = \bar{V}(R) + \bar{T}(R)$$

$$= \bar{V}_{H_2^+}^{(eff)}(R) - \bar{V}_{H \text{ atom}}^{(eff)}(R)$$

Analysis 4. (Optional)

Contributions of average potential and kinetic energy

To simulate a H atom, run a job with the following **xyz**:

```
2
```

```
H 0.0 0.0 0.0  
H 0.0 0.0 1.0
```

H₂⁺ molecule

```
1
```

```
H 0.0 0.0 0.0
```

H atom

Analysis 4. (Optional)

Contributions of average potential and kinetic energy

Calculation result of 1.0-Å H_2^+ :

| | |
|--|---------------------|
| ===== Total energy = -0.595799 ===== | |
| Ion-ion | = 0.529177 Hartree |
| Eigenvalues | = -1.124976 Hartree |
| Hartree energy | = 0.339923 Hartree |
| Exchange-Correlation energy | = -0.339923 Hartree |
| Exchange energy | = -0.339923 Hartree |
| Correlation energy | = 0.000000 Hartree |
| Kinetic energy | = 0.608784 Hartree |
| Spin 0 | = 0.608784 Hartree |
| Spin 1 | = 0.000000 Hartree |
| External energy | = -1.733760 Hartree |
| ===== | |

V_{nn} of H_2^+ → \bar{V} of H_2^+
 V_{ee} of H_2^+ → $\bar{V}^{(eff)}$ of H_2^+
 \bar{T} of H_2^+ → $\bar{V}^{(eff)}$ of H_2^+
 V_{ne} of H_2^+ → \bar{V} of H_2^+

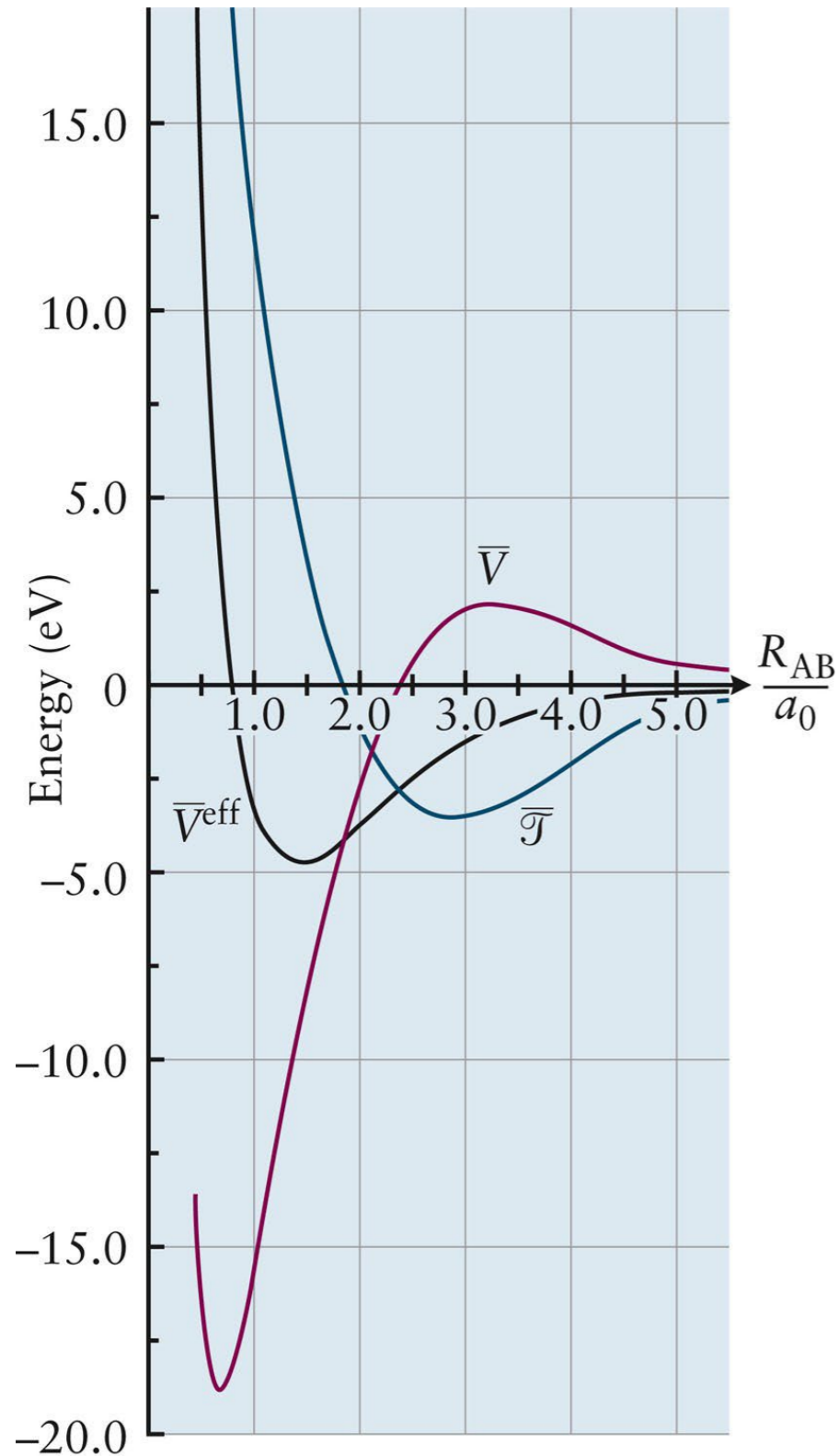
Calculation result of a H atom:

| | |
|--|---|
| ===== Total energy = -0.489063 (Note this value equals the energy of $H_2(R \rightarrow \infty)$ in the report sheet.) ===== | |
| Ion-ion | = 0.000000 Hartree (For one H atom, $V_{nn} = 0$.) |
| Eigenvalues | = Hartree |
| Hartree energy | = Hartree |
| Exchange-Correlation energy | = Hartree |
| Exchange energy | = Hartree |
| Correlation energy | = 0.000000 Hartree |
| Kinetic energy | = Hartree |
| Spin 0 | = Hartree |
| Spin 1 | = 0.000000 Hartree |
| External energy | = Hartree |
| ===== | |

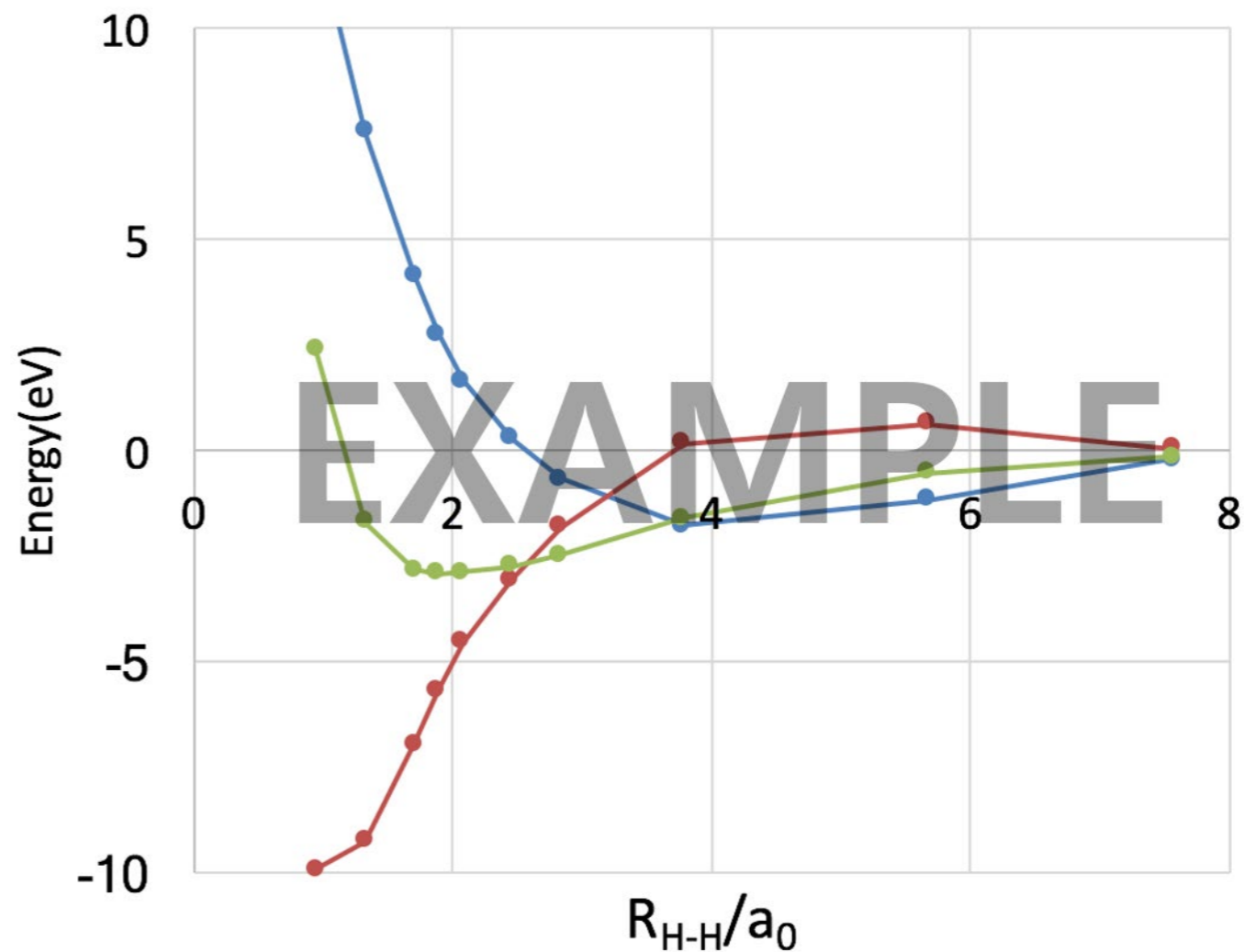
$\bar{V}^{(eff)}$ of a H atom
 \bar{T} of H atom → $\bar{V}^{(eff)}$ of a H atom
 V_{ne} of H atom = \bar{V} of H atom

Analysis 4. (Optional)

Contributions of average potential and kinetic energy



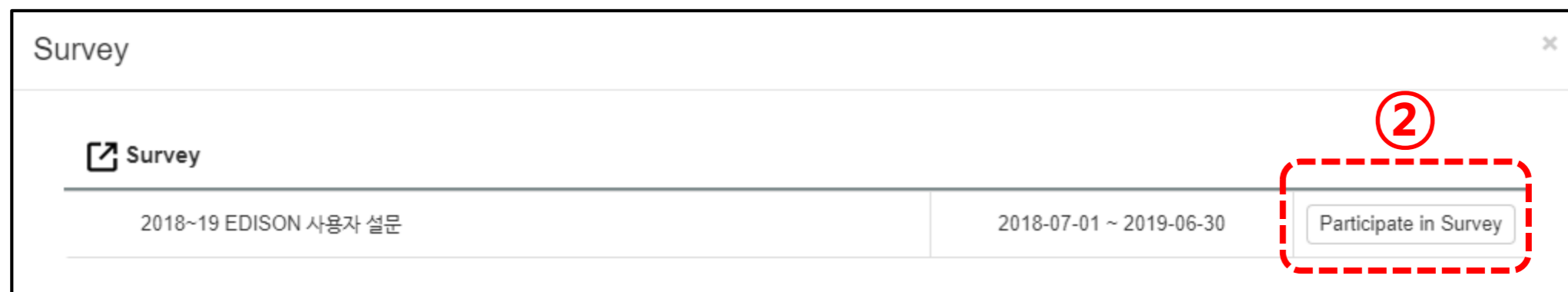
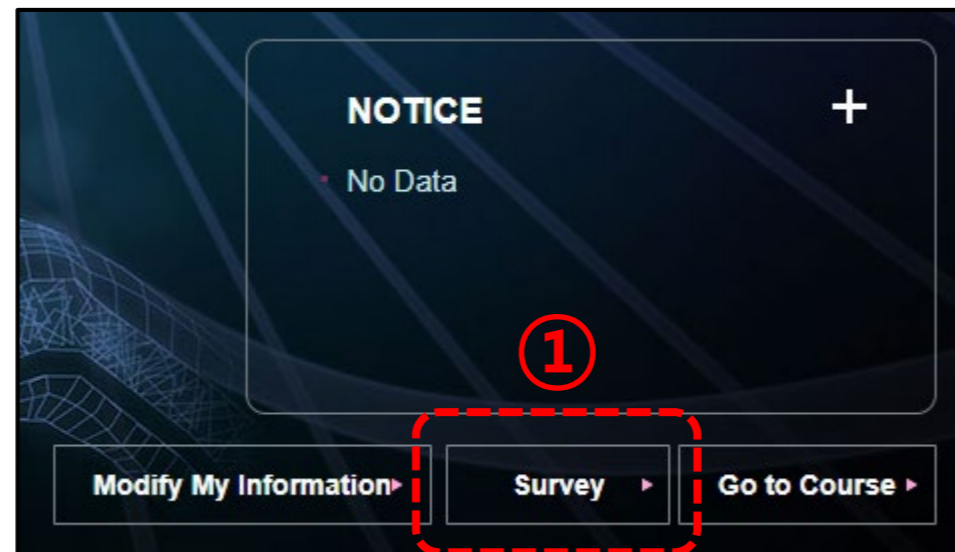
Using your ten H_2^+ simulations and one single-H-atom simulation, draw **eV-bohr** plots of \bar{V} , \bar{T} and $\bar{V}^{(eff)}$.



Portal survey

Please answer the survey about your experience of the EDISON portal.
All answers will help improve the portal for better user experience!

NOTE that the questions are provided in **Korean**.



You may skip this if there is no Survey button shown!